

Midterm 2 Highlight Tour

Emphasize on understanding concepts over memorizing details

But, need to know what terms mean

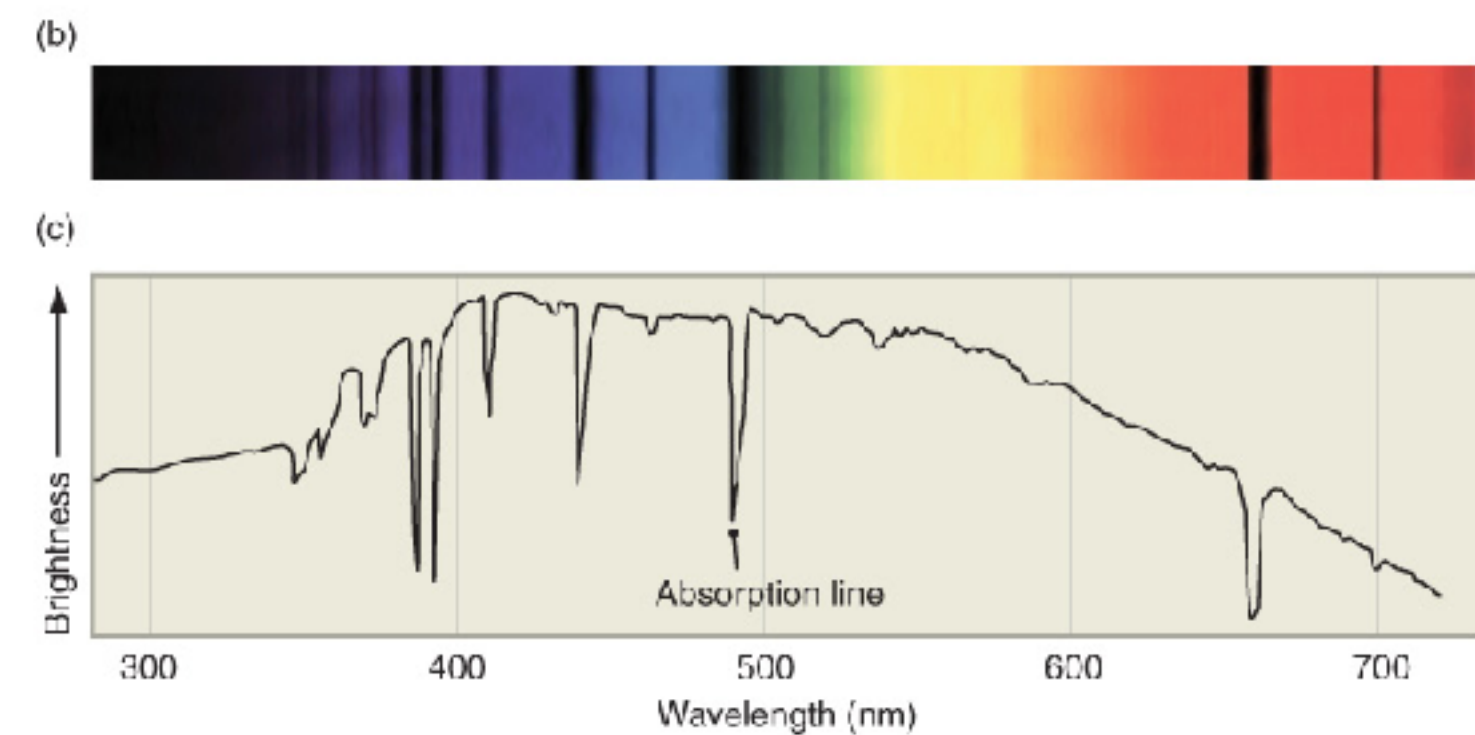
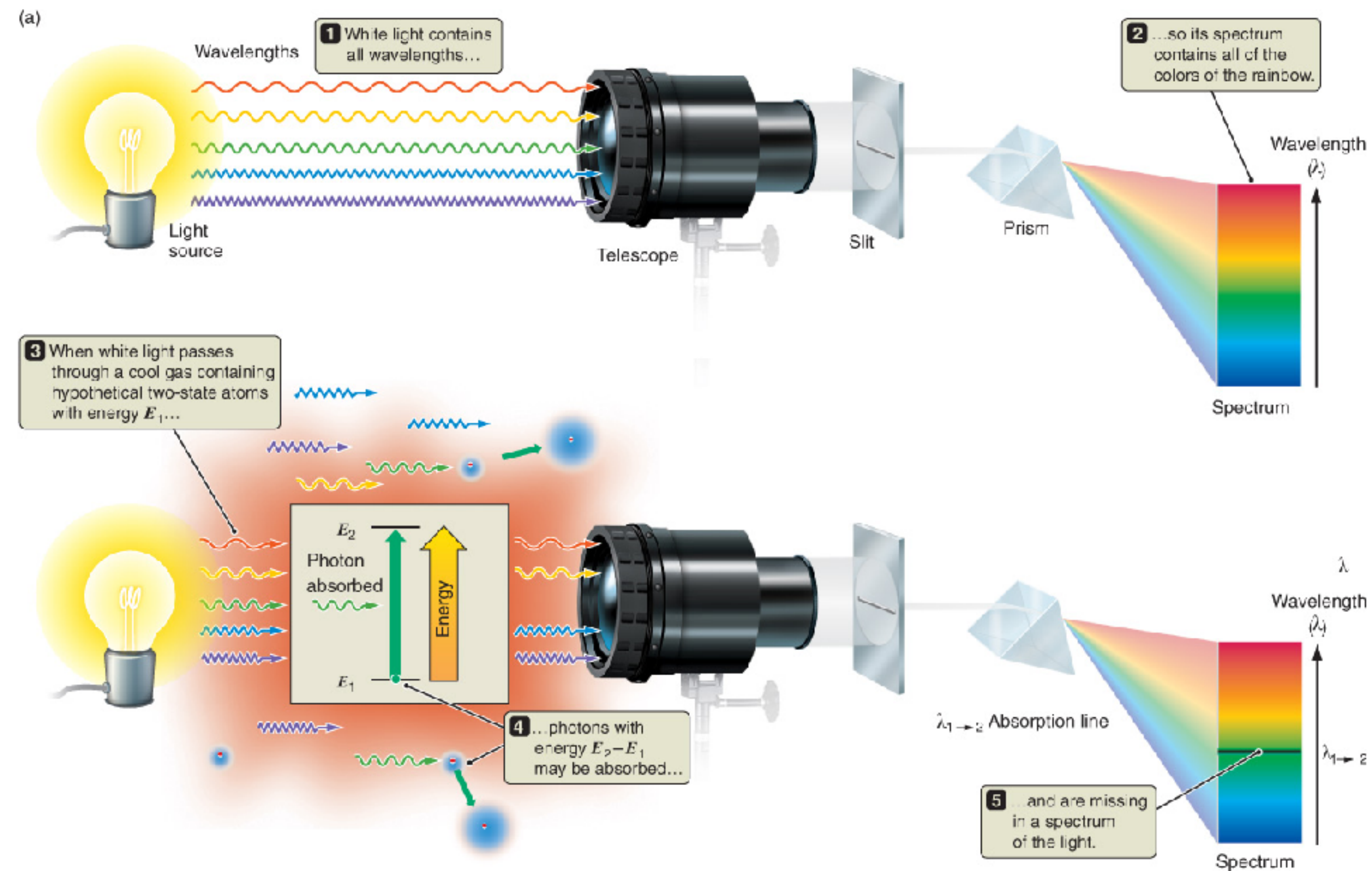
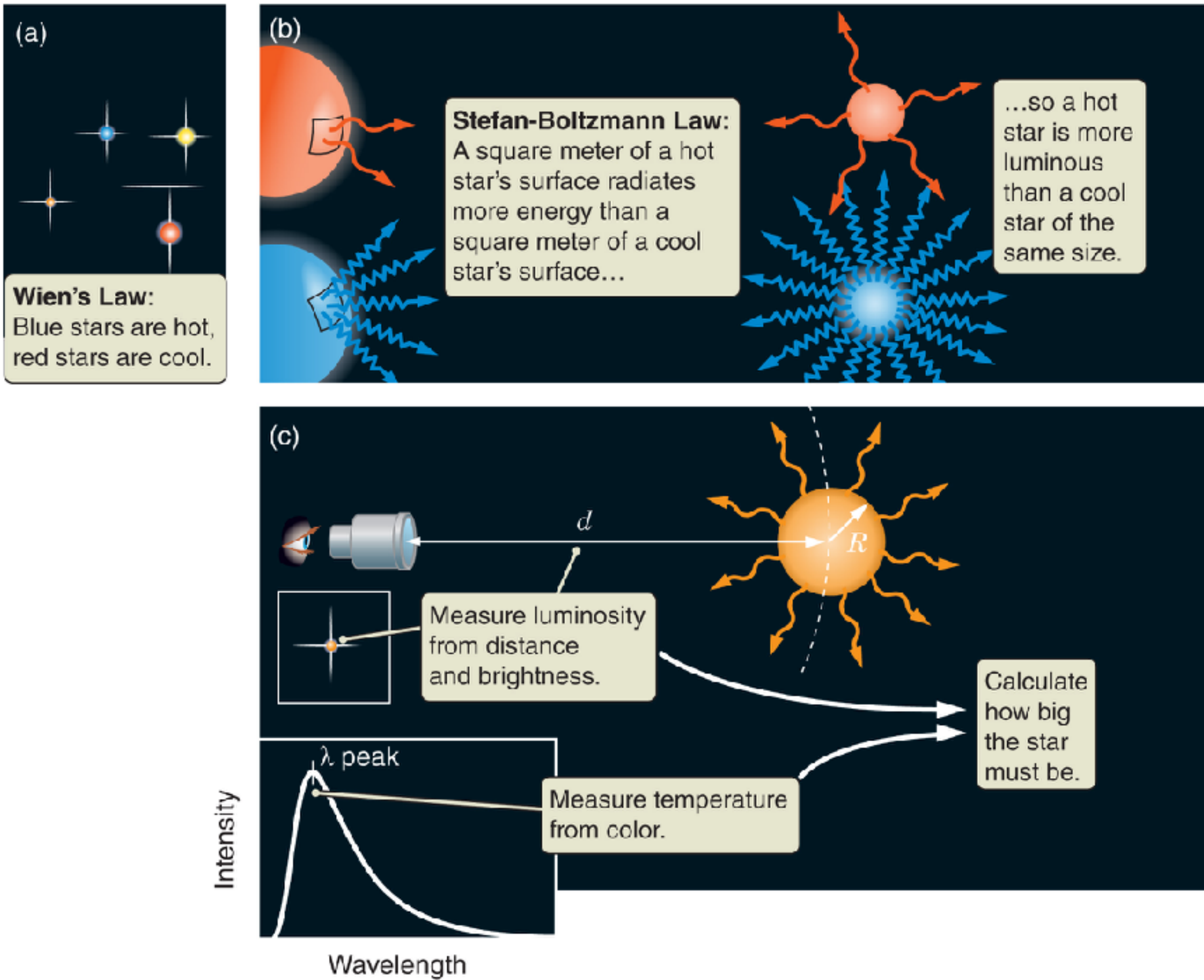
Example:

Should know the inputs and outputs of the p-p chain, but not necessary to know the details of each step

25 multiple choice questions (3 pts each), similar to last time
Several short answer questions (more this time, but still 25 pts total)

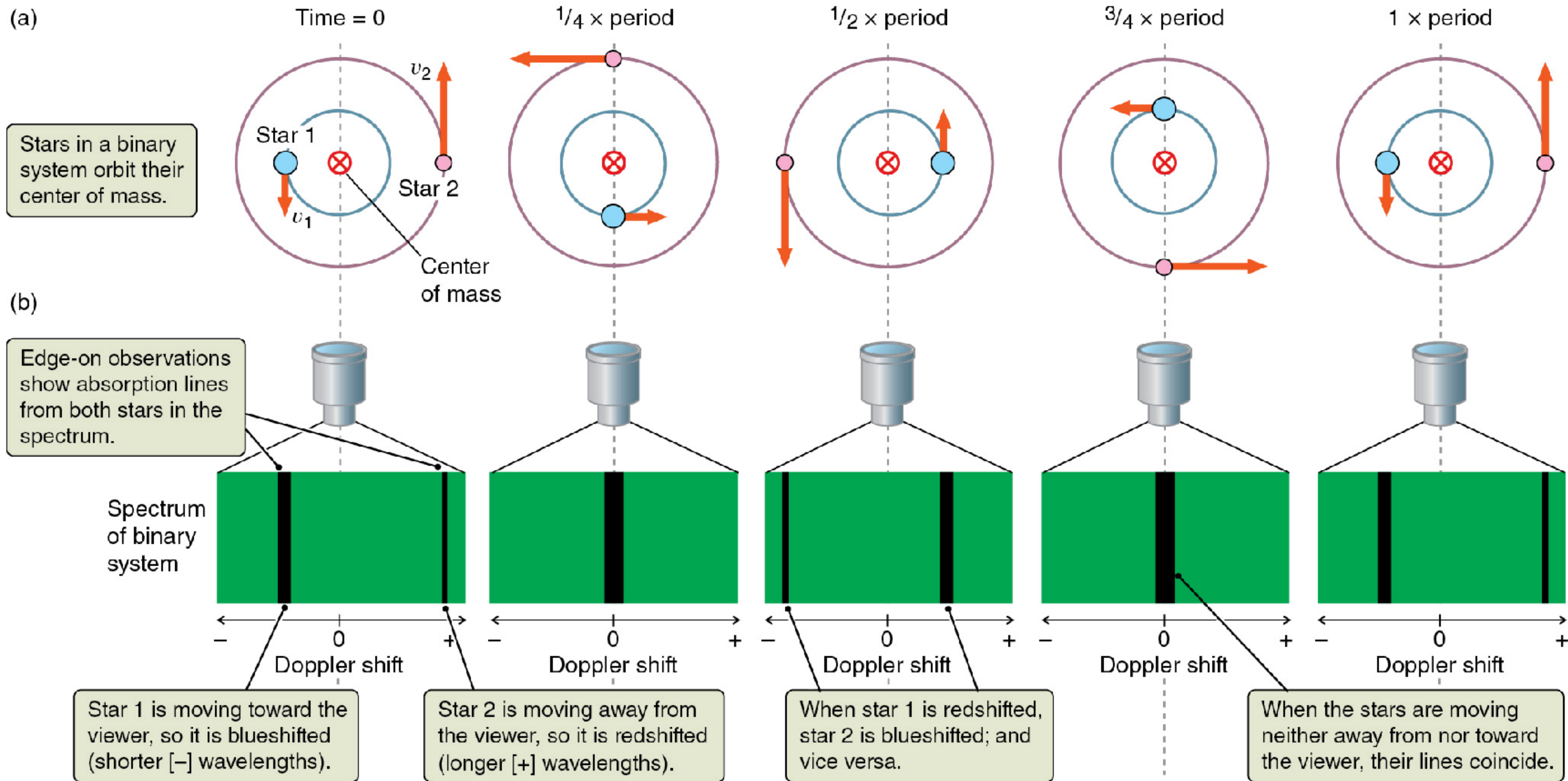
TA-led reviews in office hours this afternoon and tomorrow

Luminosity depends on Temperature AND Size

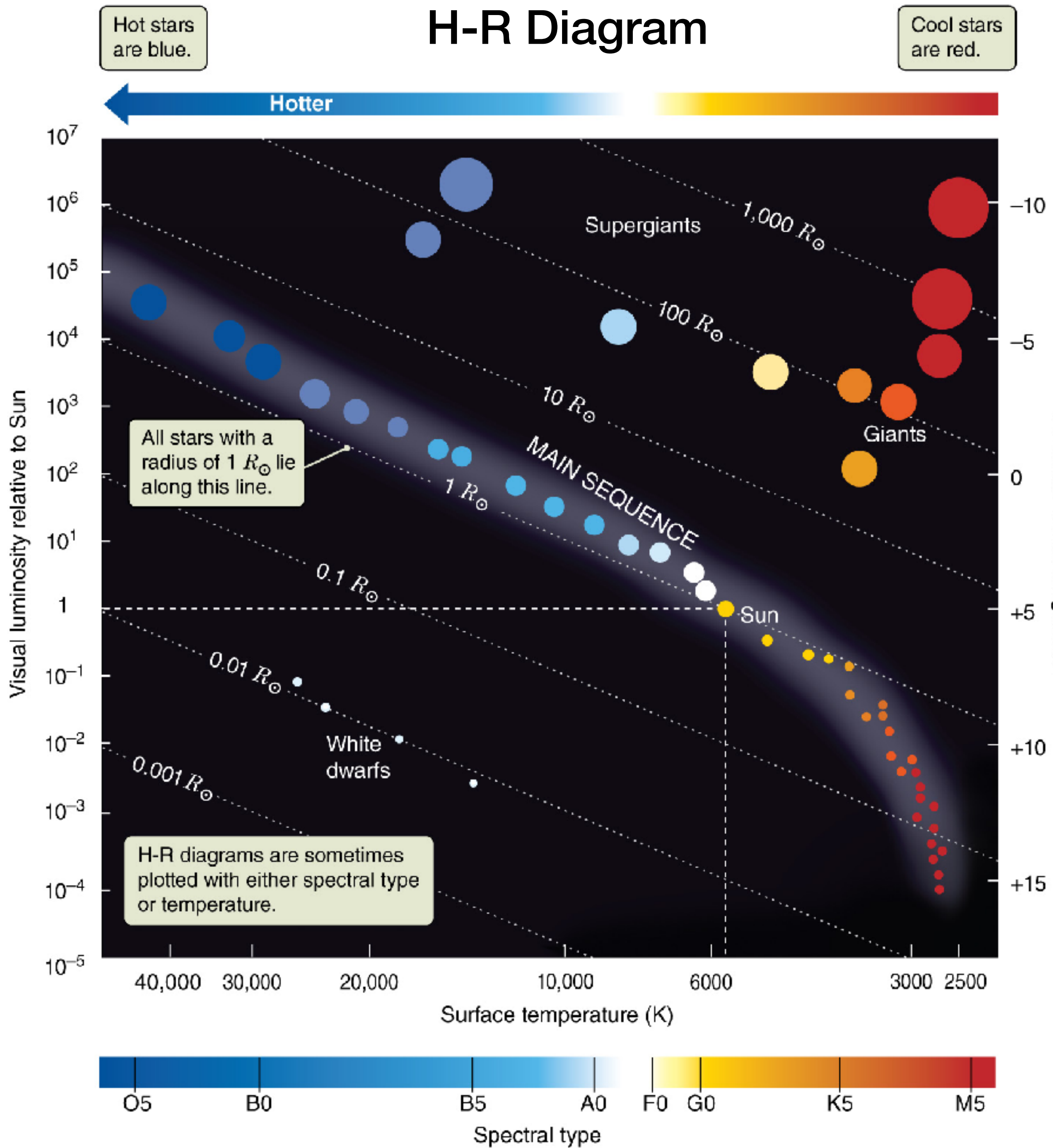


Stellar Spectra: blackbody plus absorption lines

Binary Stars: Doppler shift proportional to velocity, inversely proportional to relative mass

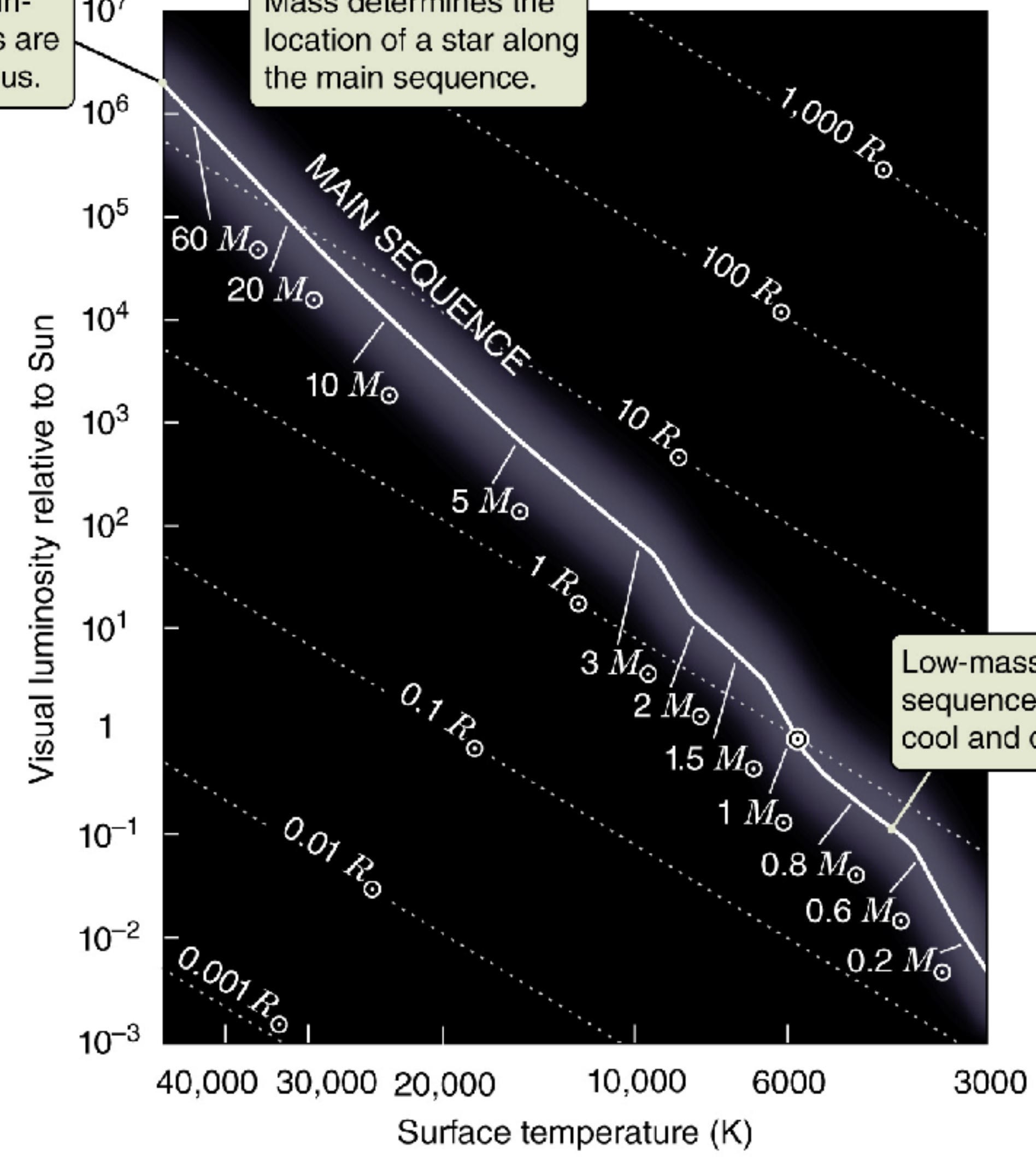


H-R Diagram

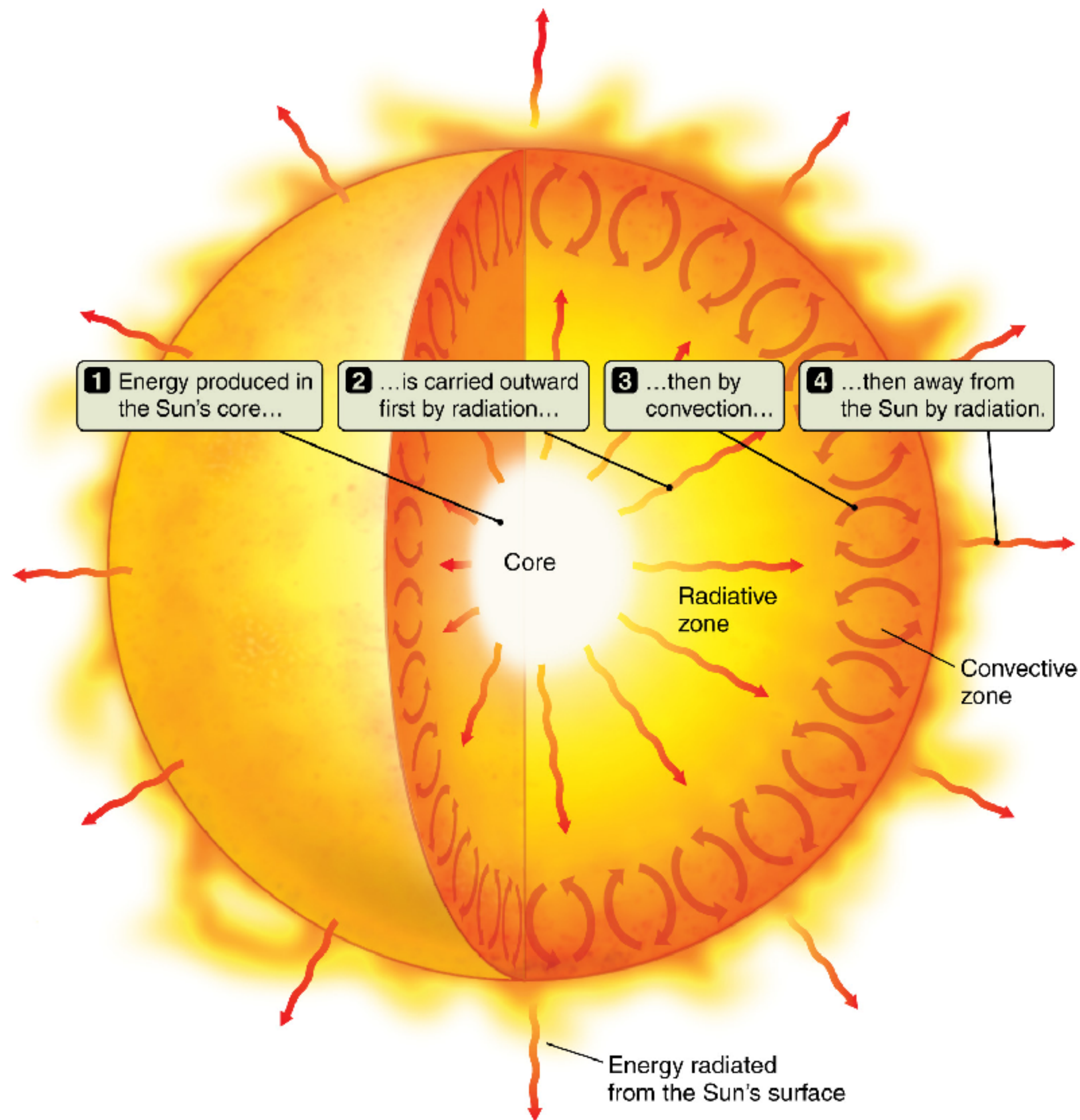


High-mass main-sequence stars are hot and luminous.

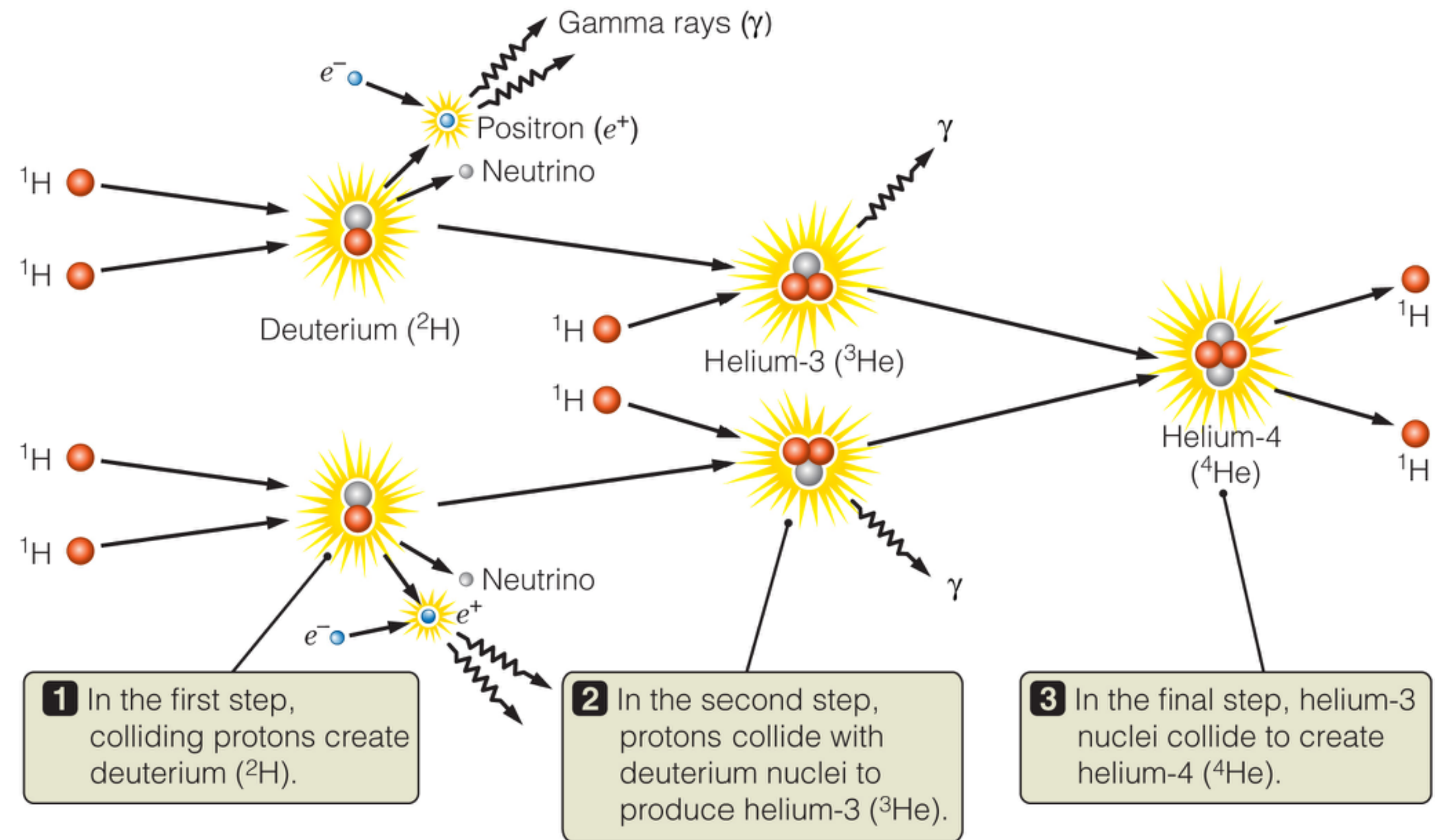
Mass determines the location of a star along the main sequence.



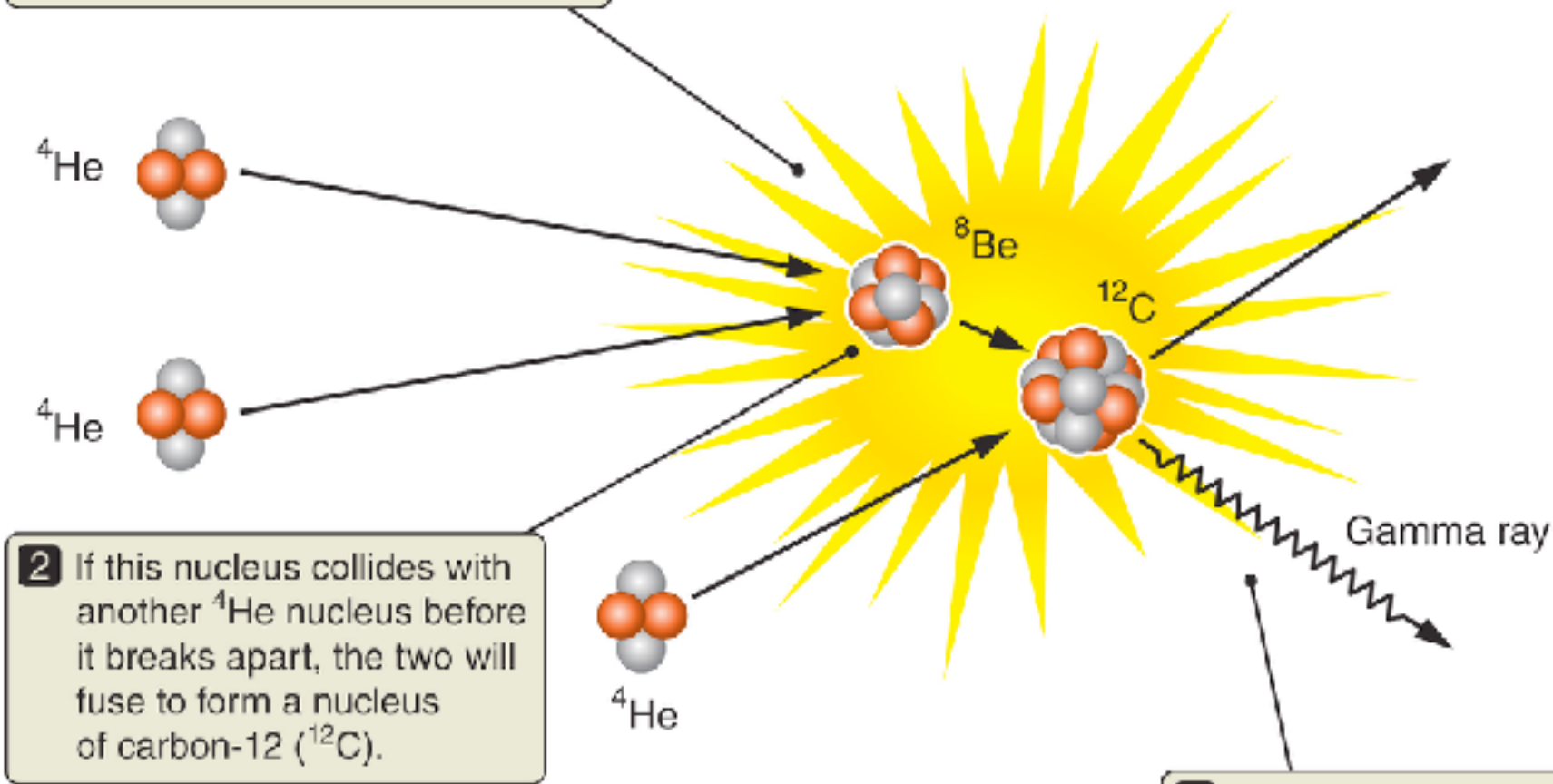
Sun has distinct zones,
half way through its 10 billion year lifespan



proton-proton chain burns H \rightarrow He, releasing neutrinos and positrons (gamma rays)



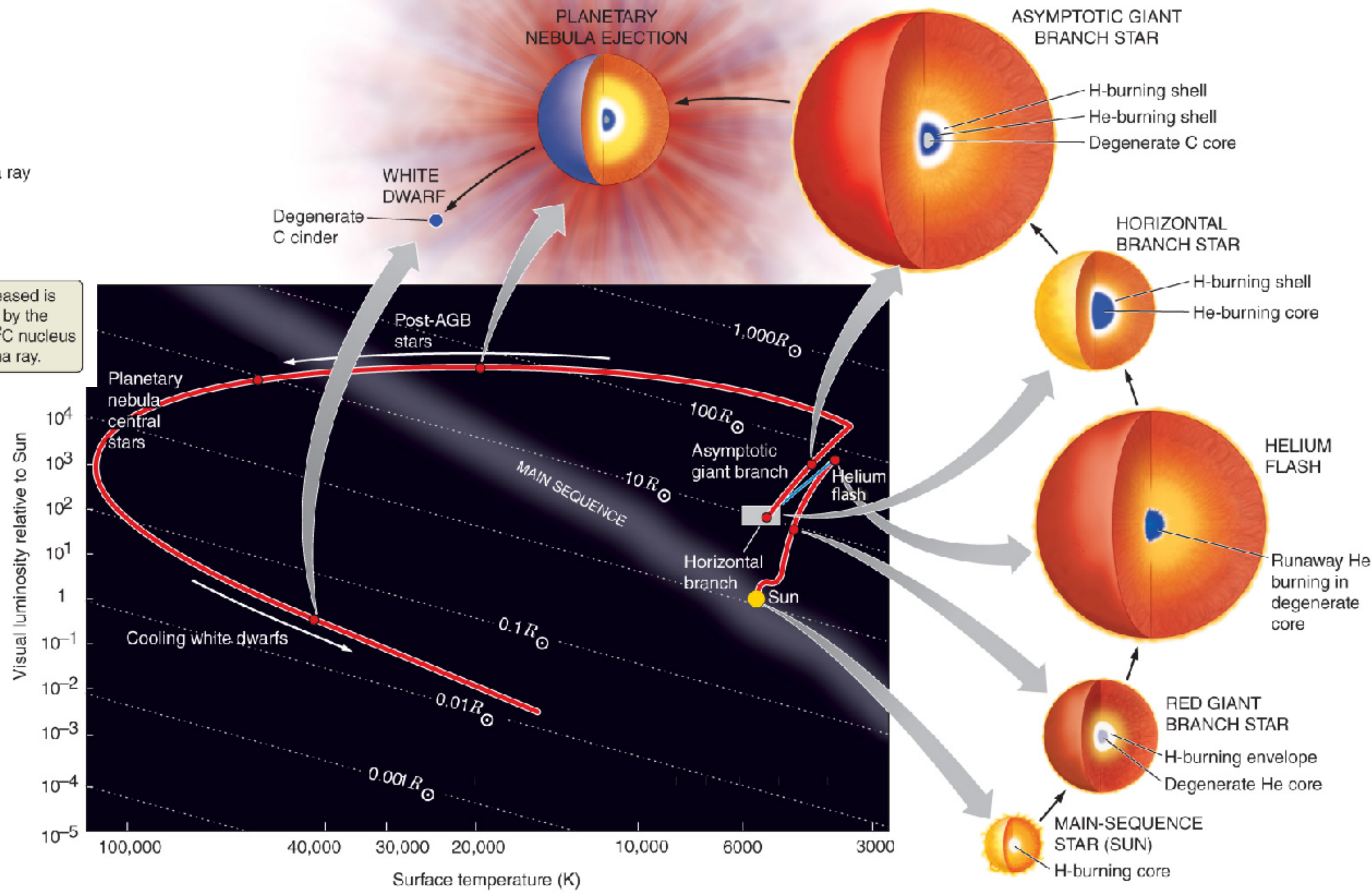
1 The triple-alpha process begins when two ^4He nuclei fuse to form an unstable ^8Be nucleus.

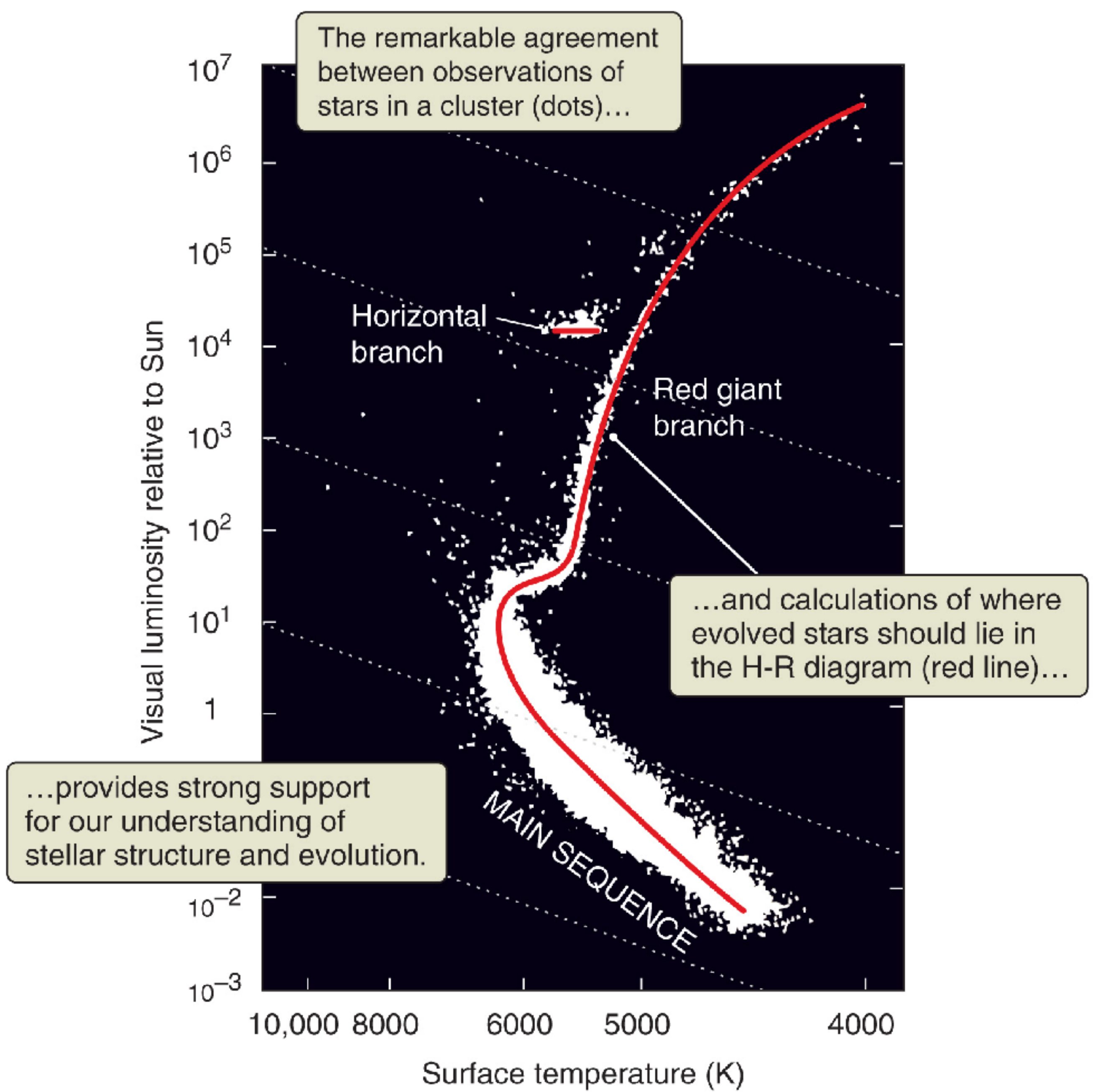
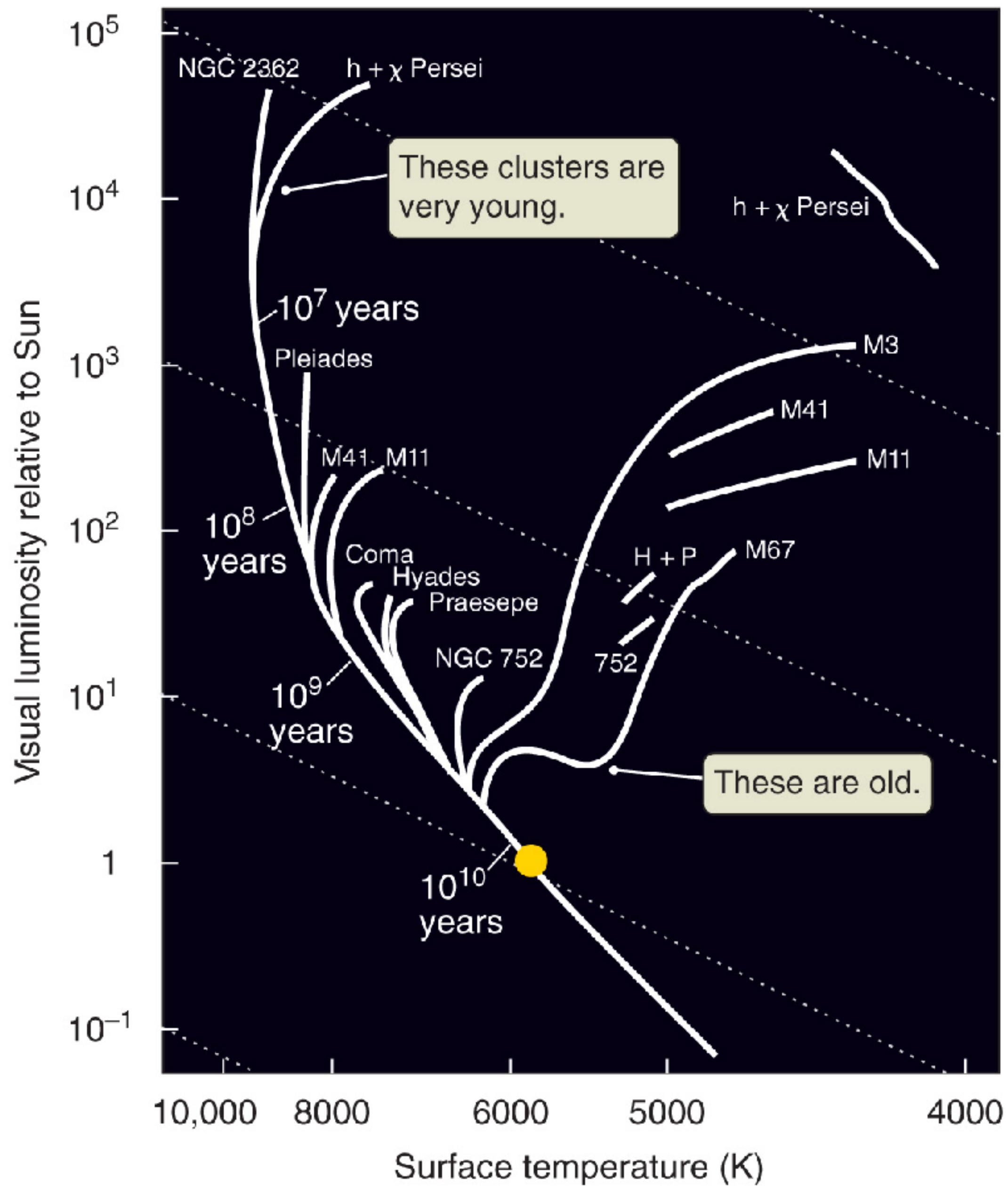


2 If this nucleus collides with another ^4He nucleus before it breaks apart, the two will fuse to form a nucleus of carbon-12 (^{12}C).

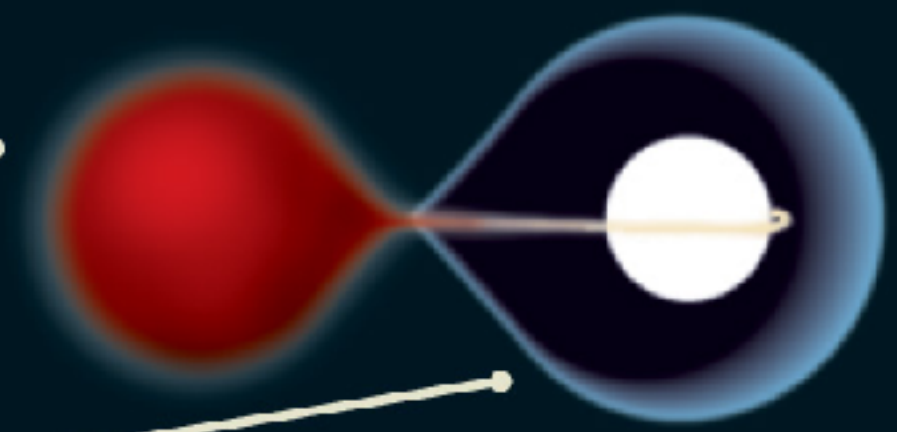
3 The energy released is carried off both by the motion of the ^{12}C nucleus and by a gamma ray.

Triple-alpha process, burns He \rightarrow C in Horizontal Branch phase



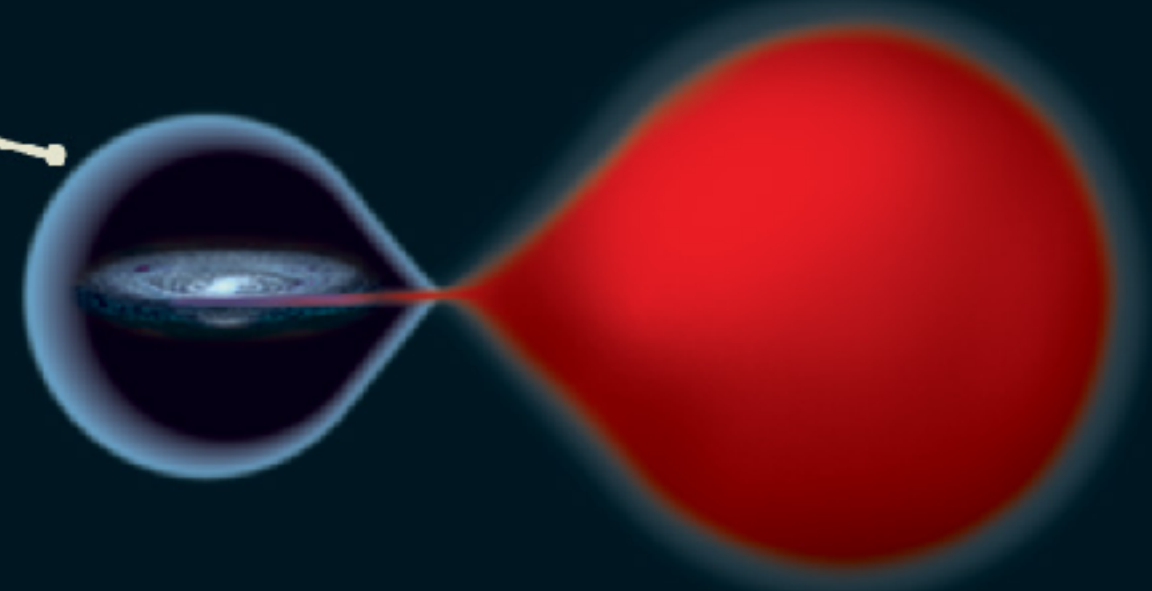


...until it overfills its Roche lobe and begins transferring mass onto its companion, star 2.

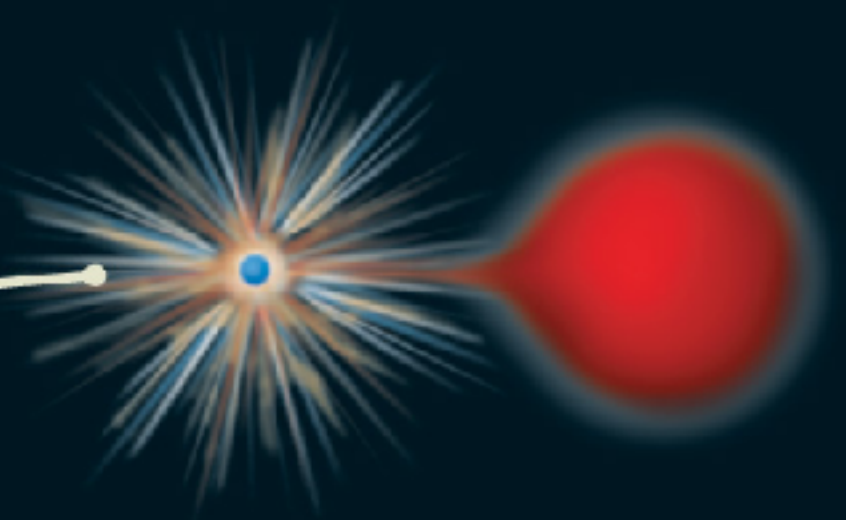


Star 2 gains mass, becoming a hotter, more luminous main-sequence star.

When star 2 evolves beyond the main sequence, it too overfills its Roche lobe and begins transferring mass onto its white dwarf companion.

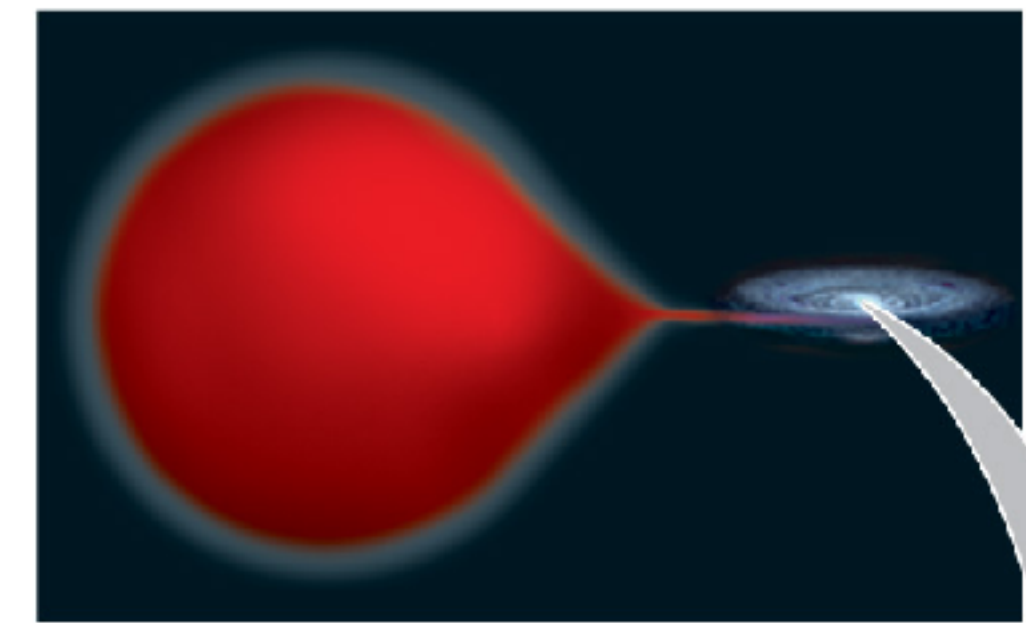


Different possible fates may await star 1, including recurrent eruptions of nova explosions and possibly complete disintegration in a Type Ia supernova.

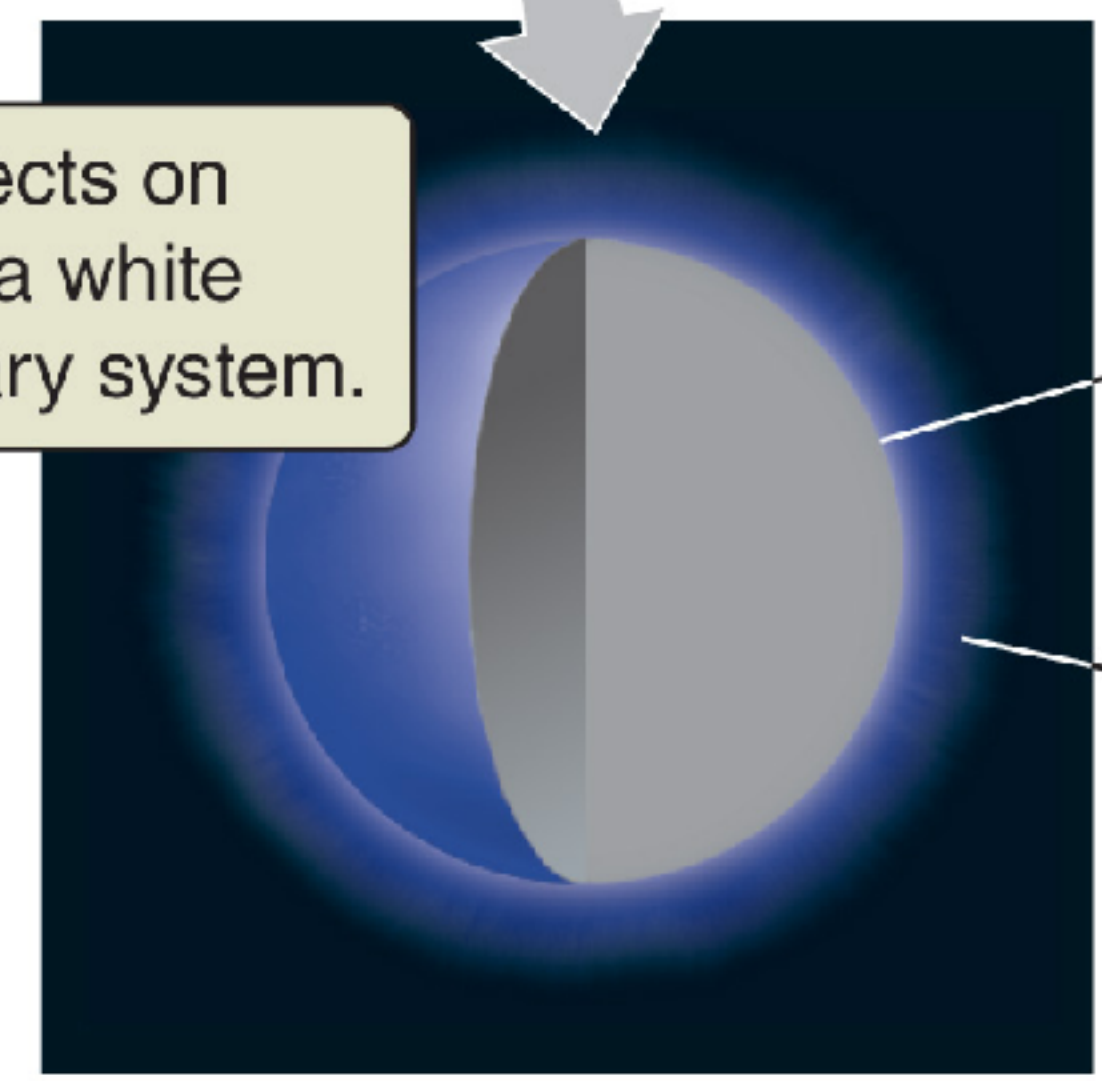


if mass exceeds Chandrasekhar limit ($1.4 M_{\text{sun}}$)

White Dwarf \leftrightarrow electron degeneracy pressure



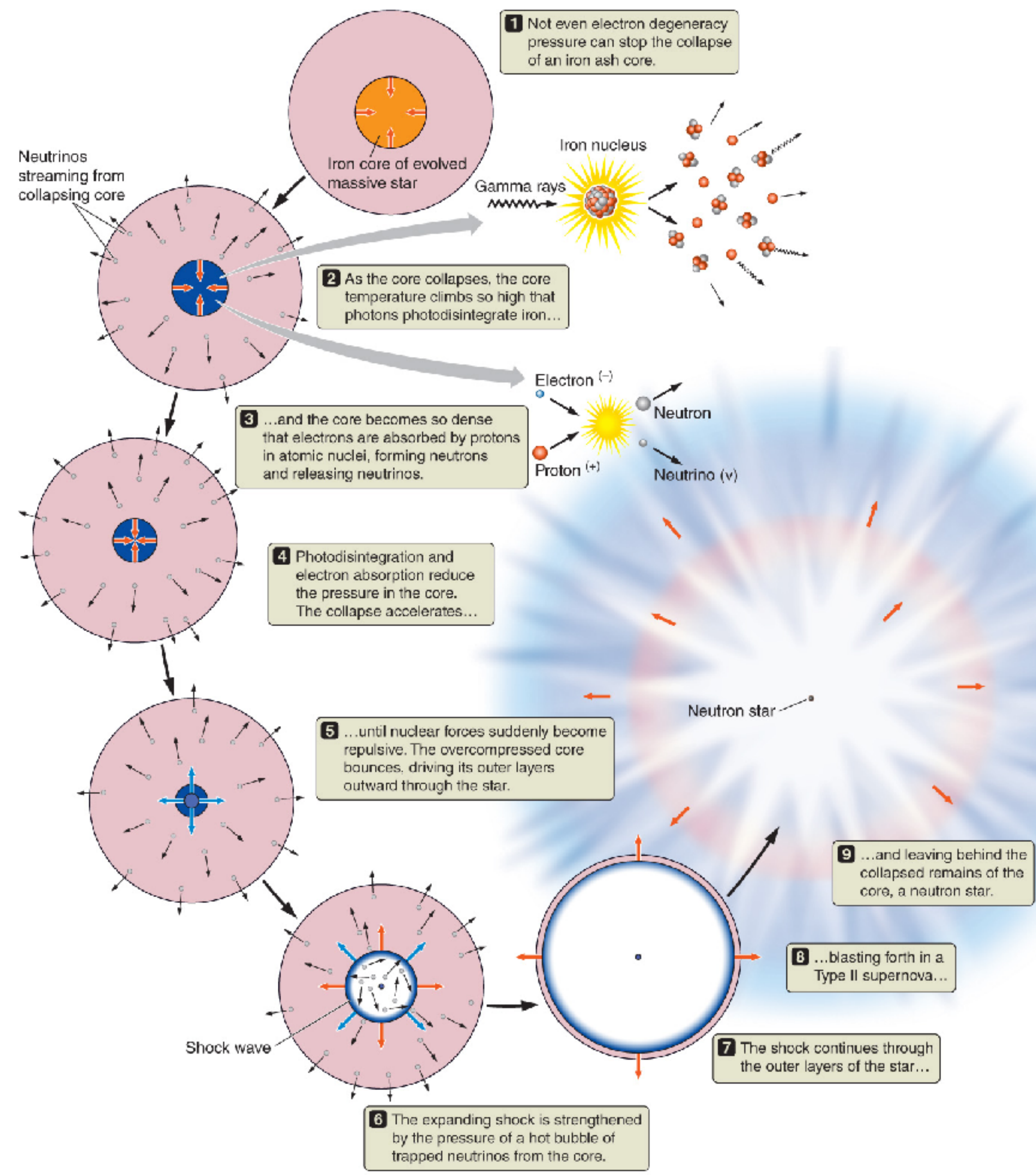
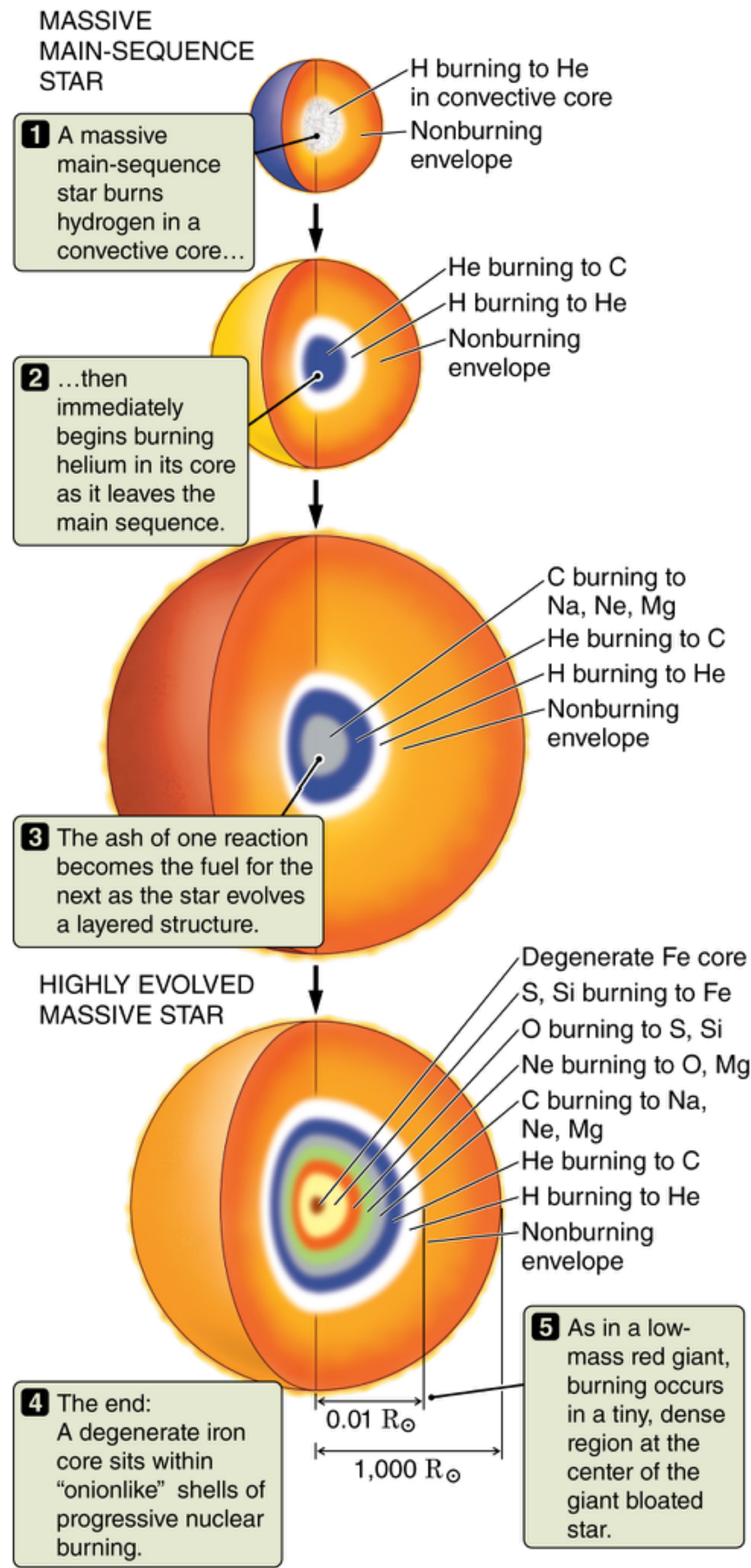
Hydrogen collects on the surface of a white dwarf in a binary system.

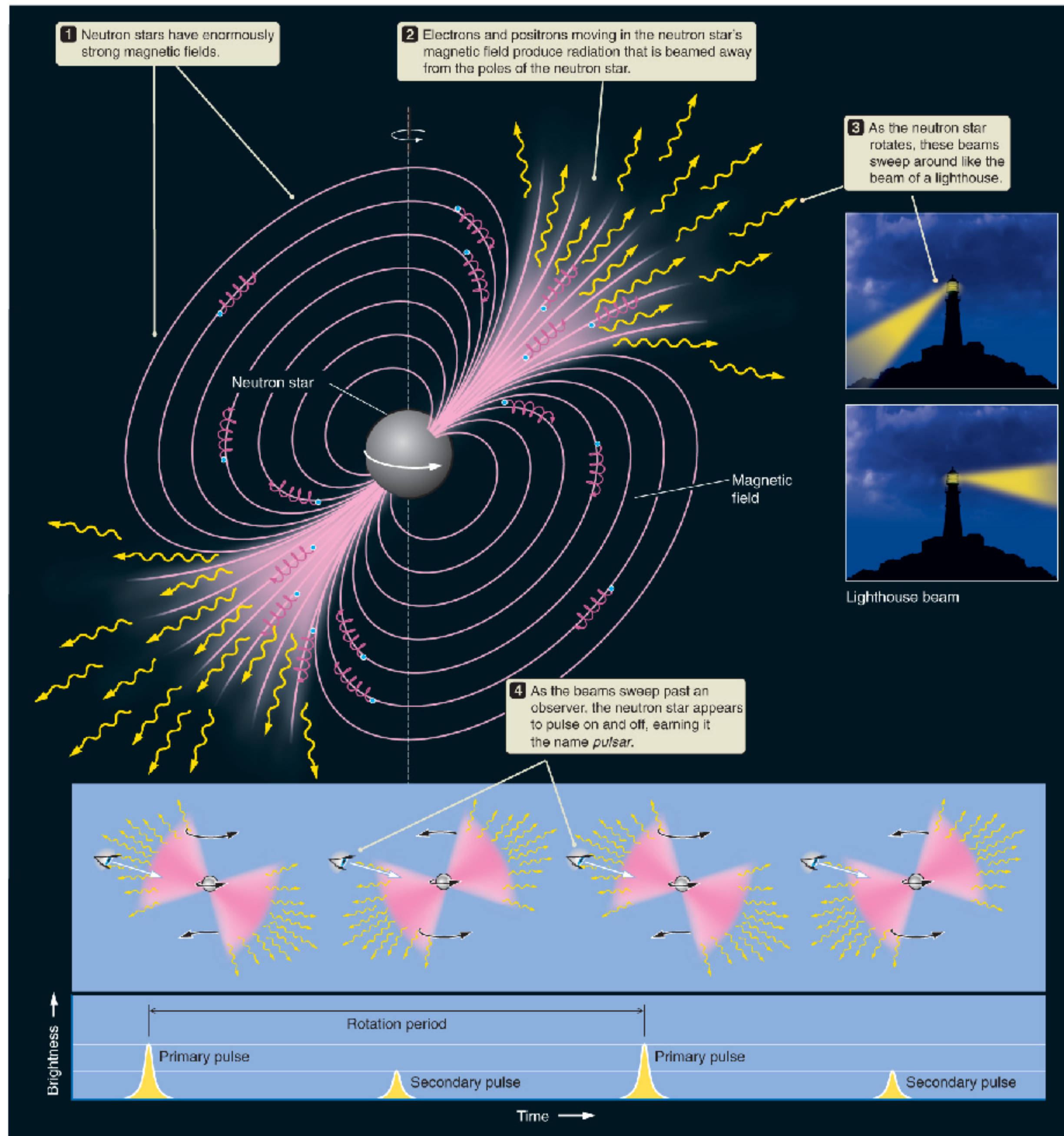


Degenerate carbon white dwarf

Hydrogen skin accreted from binary companion

Massive stars burn up to Fe (iron) in its core, then go supernovae (Type II)

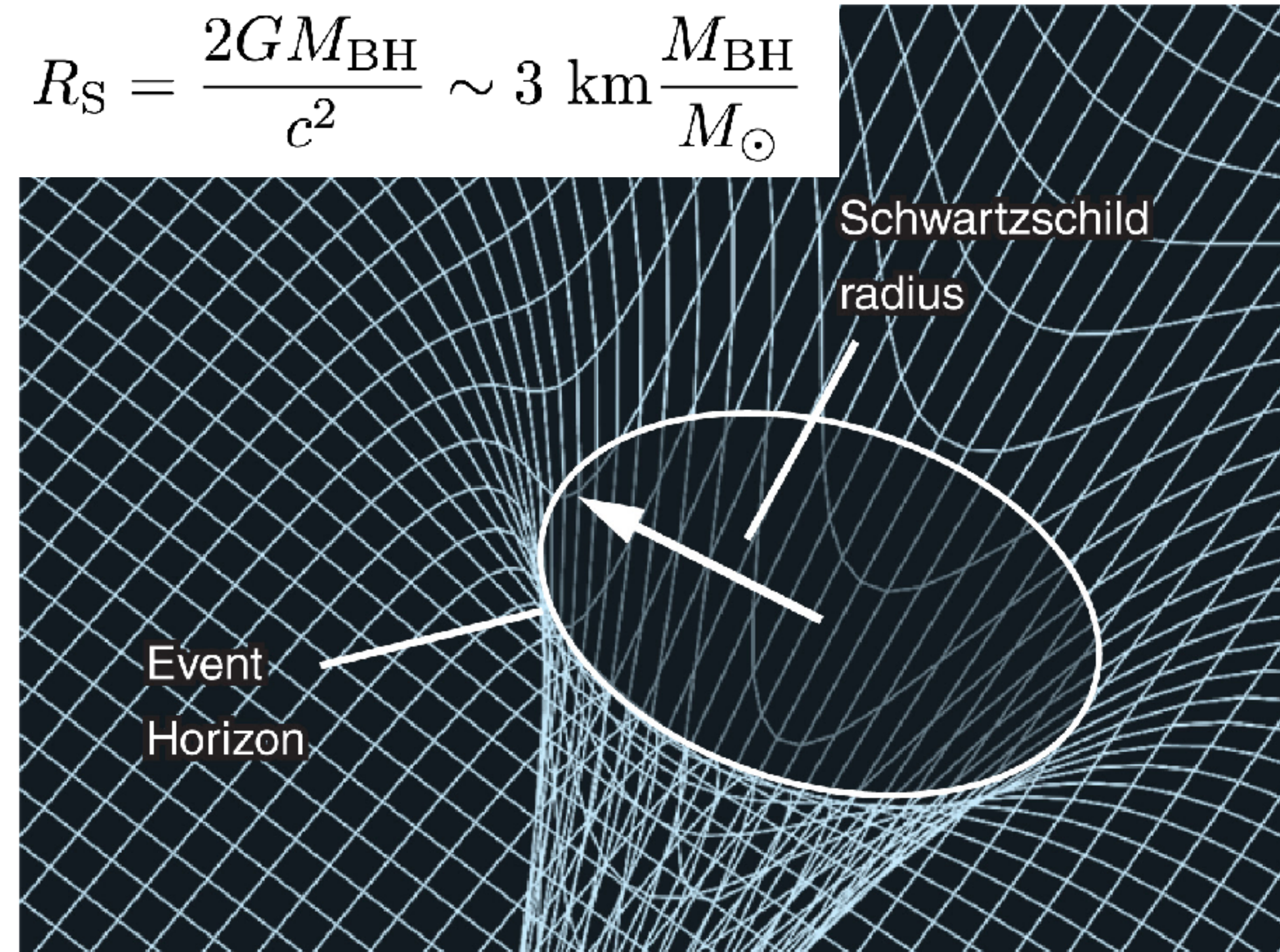




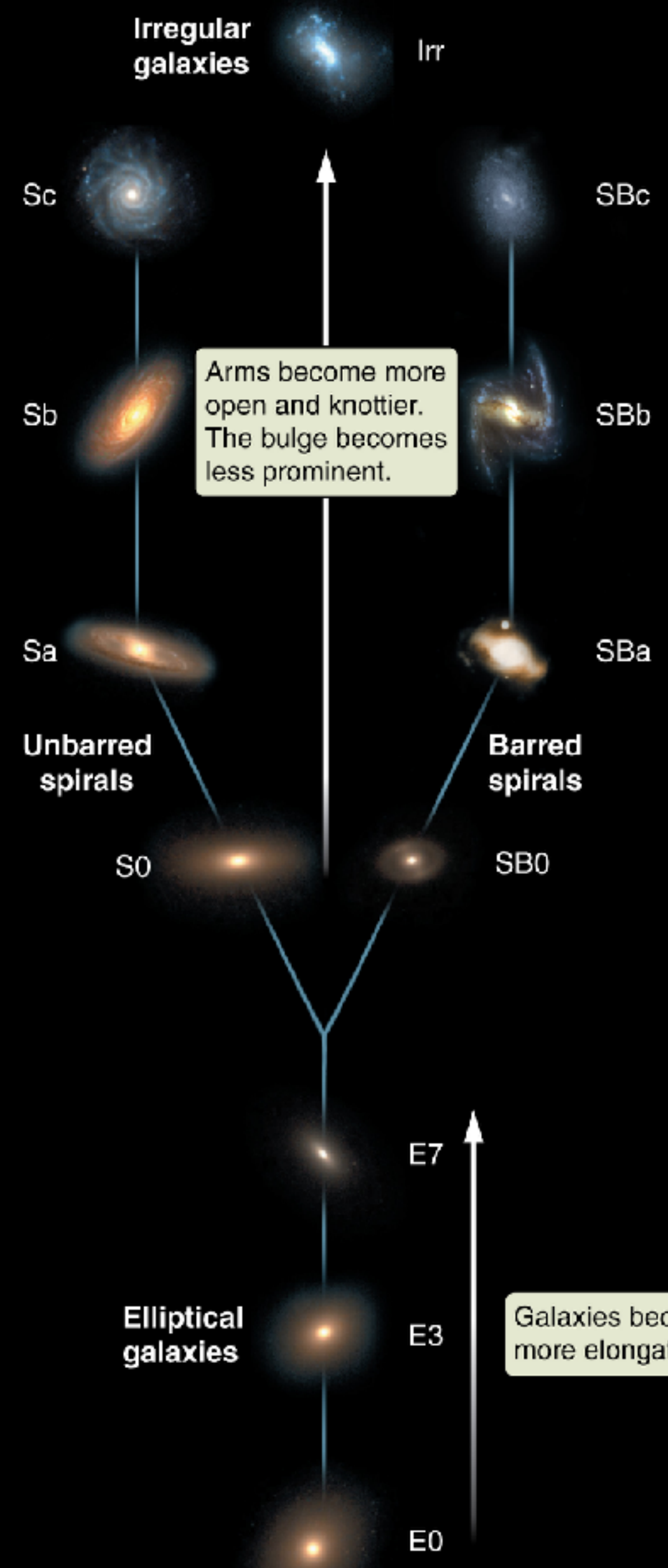
Neutron Stars

Black Holes

$$R_S = \frac{2GM_{BH}}{c^2} \sim 3 \text{ km} \frac{M_{BH}}{M_{\odot}}$$

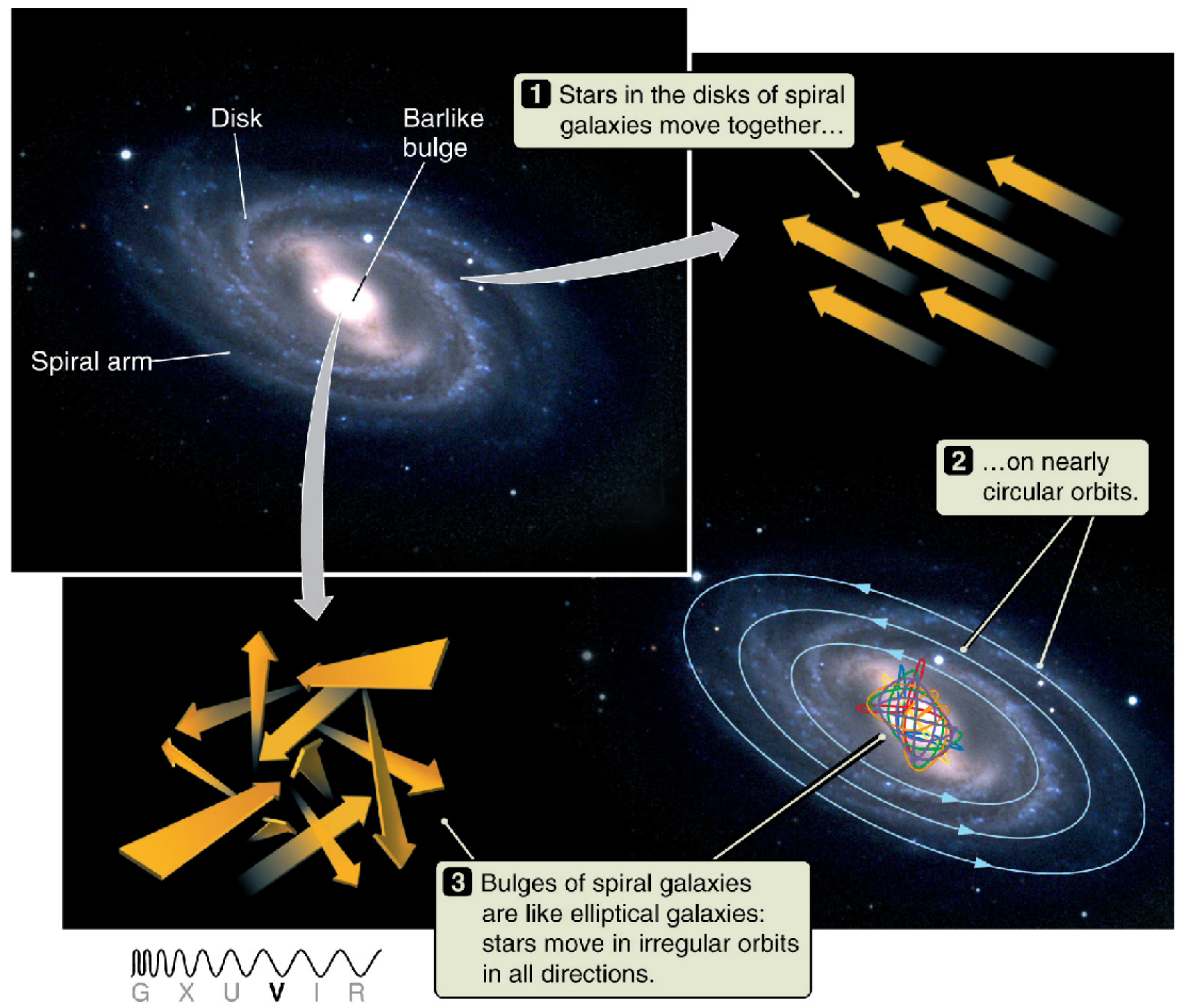


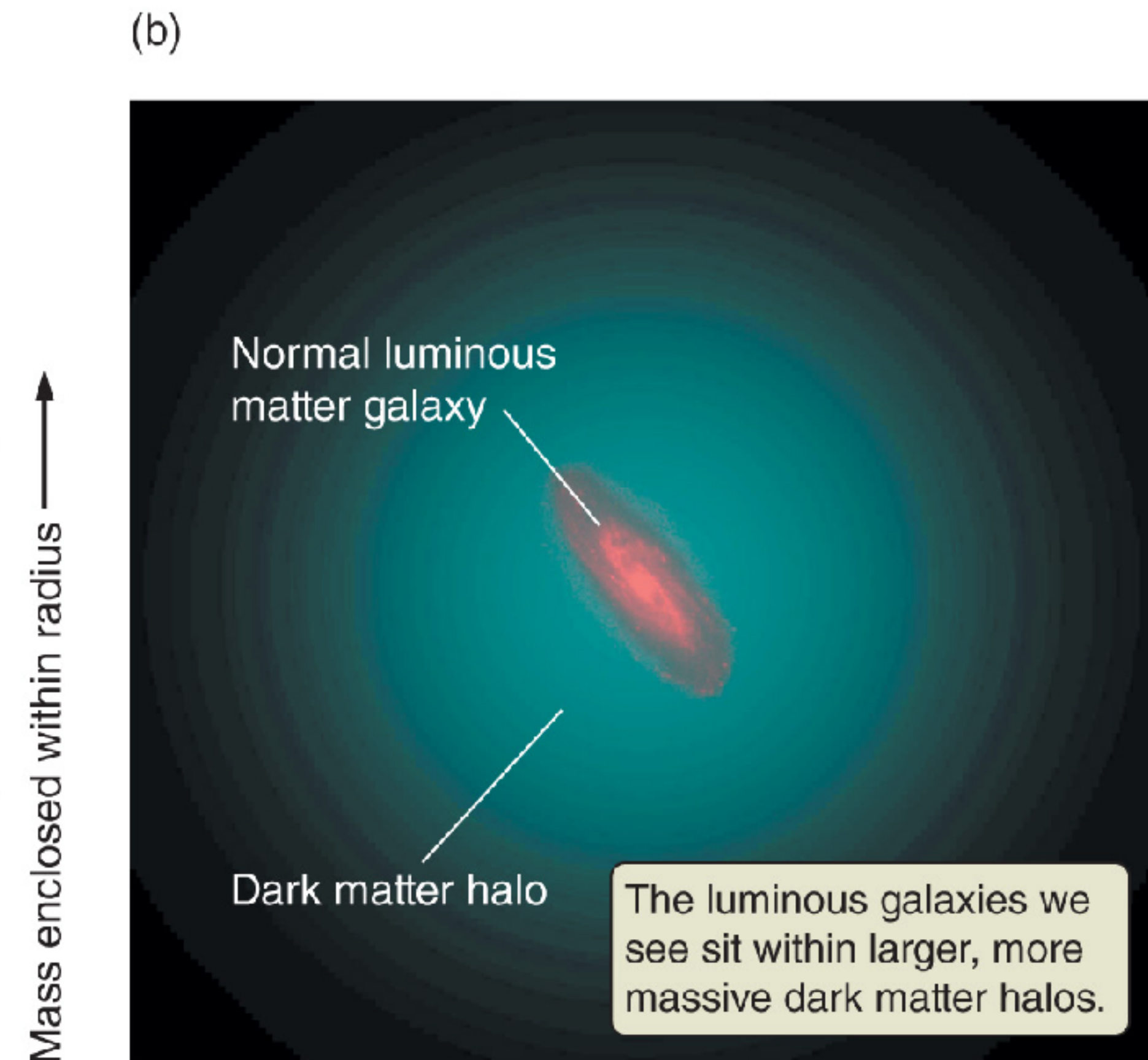
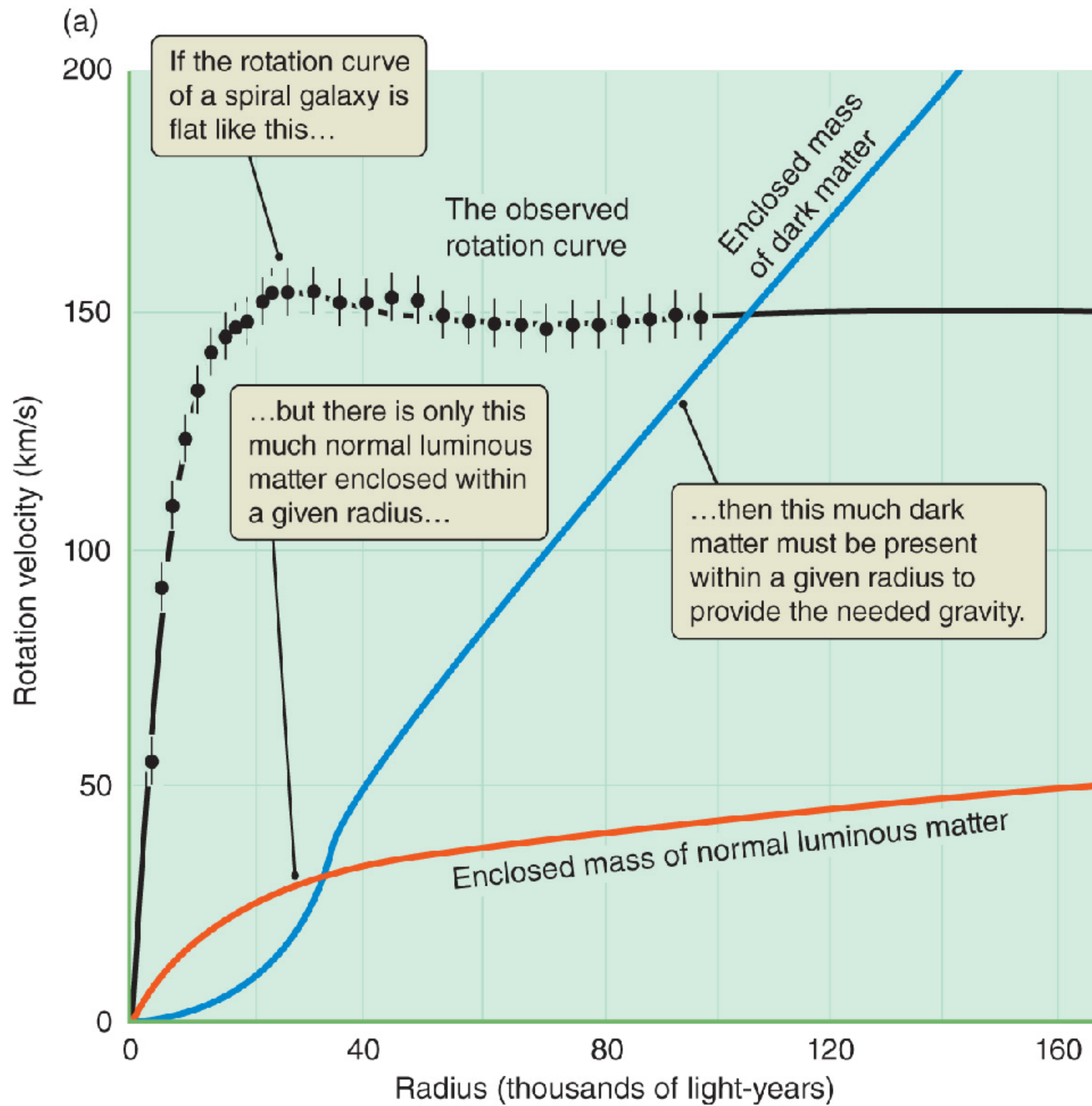
The Hubble tuning fork is a way of classifying galaxies but is not a physical or evolutionary sequence.



Arms become more open and knottier. The bulge becomes less prominent.

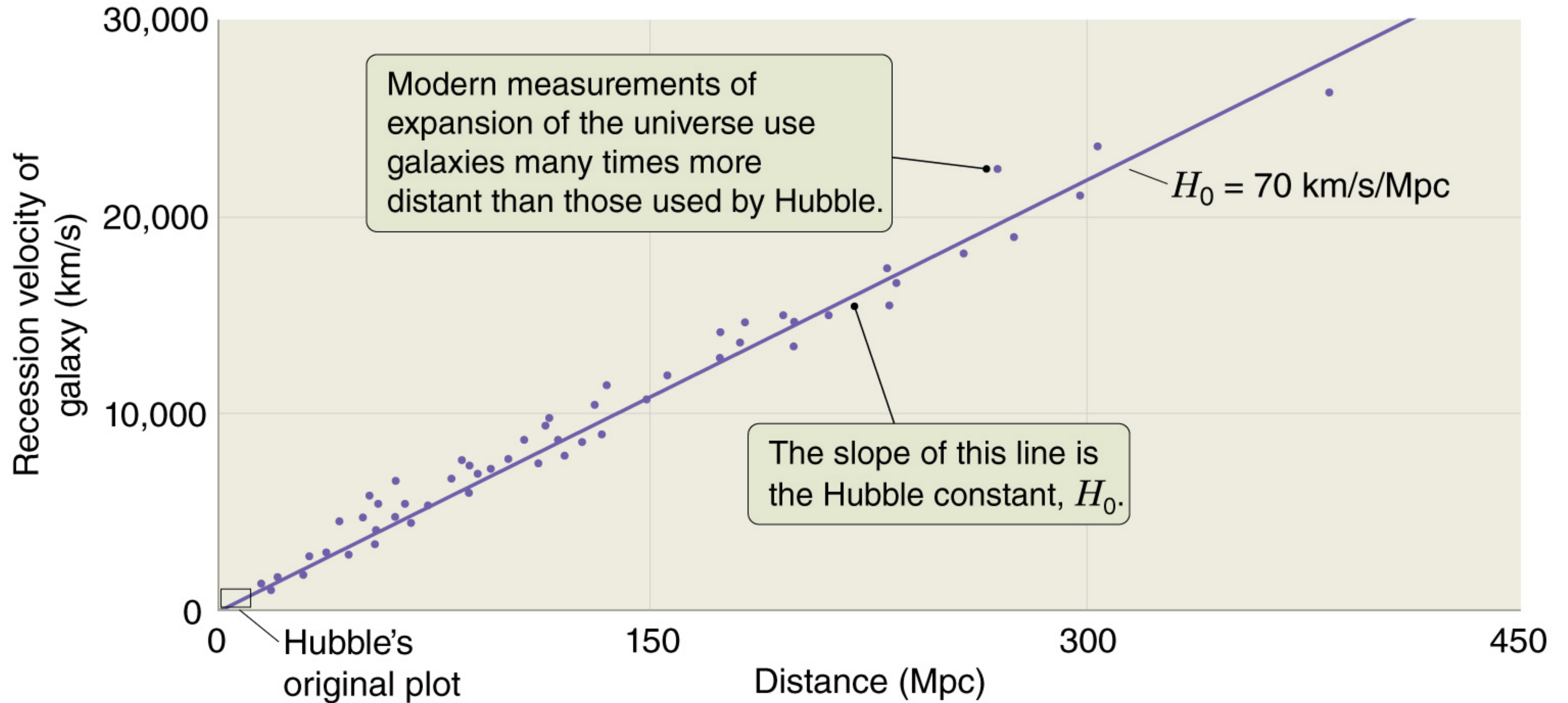
Galaxies become more elongated.





Galaxies seem to have more mass than we can see → dark matter

Hubble's law demonstrates that the universe is expanding



Working It Out 14.1

Redshift: Calculating the Recession Velocity and Distance of Galaxies

The Doppler equation you learned for spectral lines showed that

$$v_r = \frac{\lambda_{\text{observed}} - \lambda_{\text{rest}}}{\lambda_{\text{rest}}} \times c$$

The fraction in front of the c is equal to z , the redshift. Substituting for the fraction, we get

$$v_r = z \times c$$

(Note: This correspondence works only for velocities much slower than the speed of light.)

Suppose a hydrogen line is seen in the spectrum of a distant galaxy. In the laboratory, this hydrogen line has a measured rest wavelength of 122 nanometers (nm). If the observed wavelength of the hydrogen line is 124 nm, then its redshift is

$$z = \frac{\lambda_{\text{observed}} - \lambda_{\text{rest}}}{\lambda_{\text{rest}}}$$

$$z = \frac{124 \text{ nm} - 122 \text{ nm}}{122 \text{ nm}}$$

$$z = 0.016$$

We can now calculate the recession velocity from this redshift:

$$v_r = z \times c = 0.016 \times 300,000 \text{ km/s} = 4,800 \text{ km/s}$$

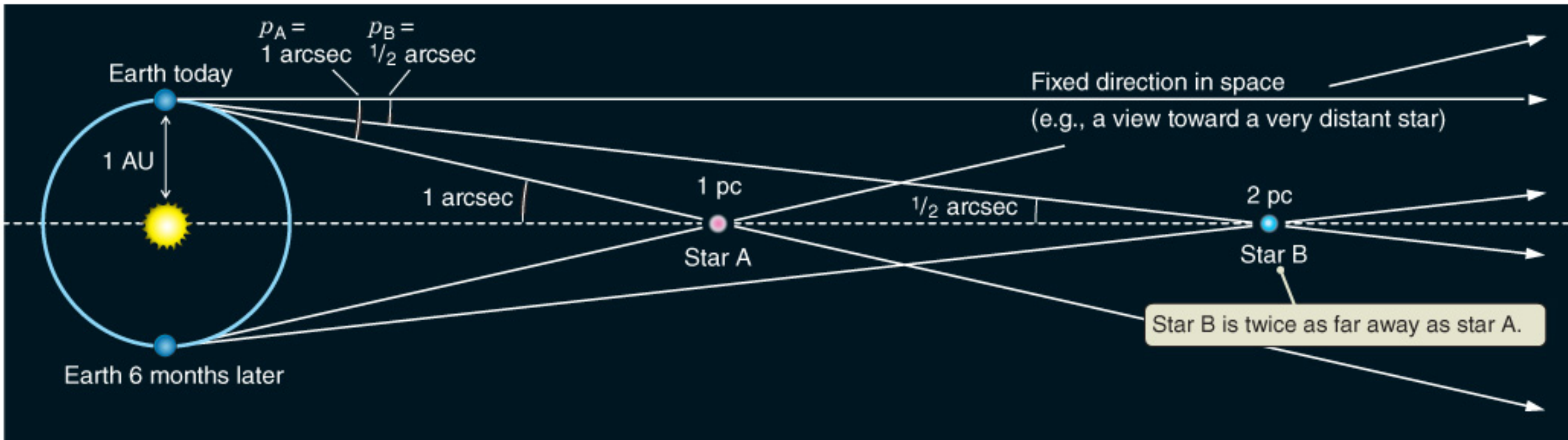
How far away, though, is our distant galaxy? This is where Hubble's law and the Hubble constant ($H_0 = 70$ kilometers per second per megaparsec [km/s/Mpc]) come in. Hubble's law relates a galaxy's recession velocity to its distance and can be expressed mathematically as $v_r = H_0 \times d_G$, where d_G is the distance to a galaxy measured in millions of parsecs (that is, megaparsecs). We can divide through by H_0 to get

$$d_G = \frac{v_r}{H_0}$$

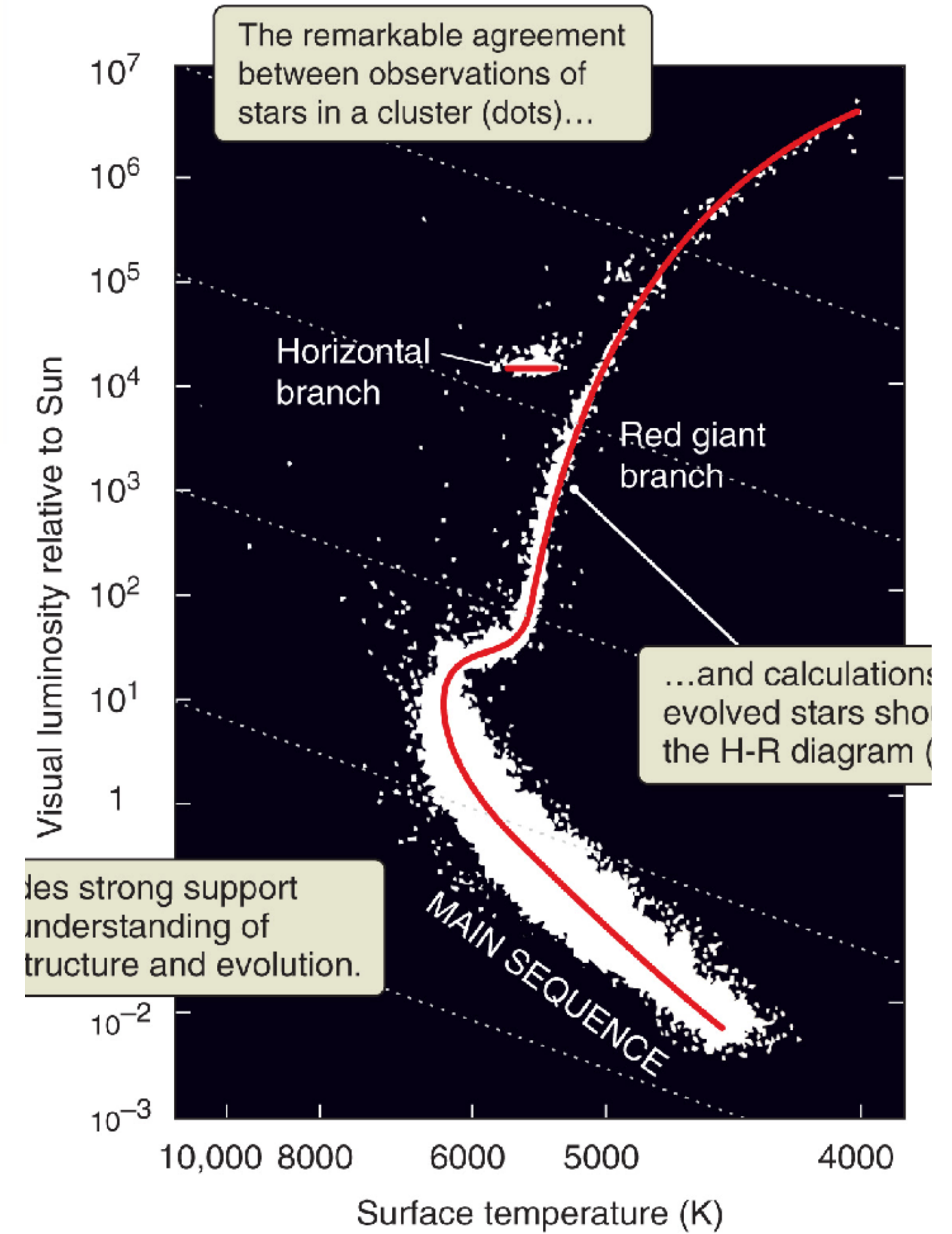
$$d_G = \frac{4,800 \text{ km/s}}{70 \text{ km/s/Mpc}} = 69 \text{ Mpc}$$

From a measurement of the wavelength of a hydrogen line, we have learned that the distant galaxy is approximately 69 Mpc away.

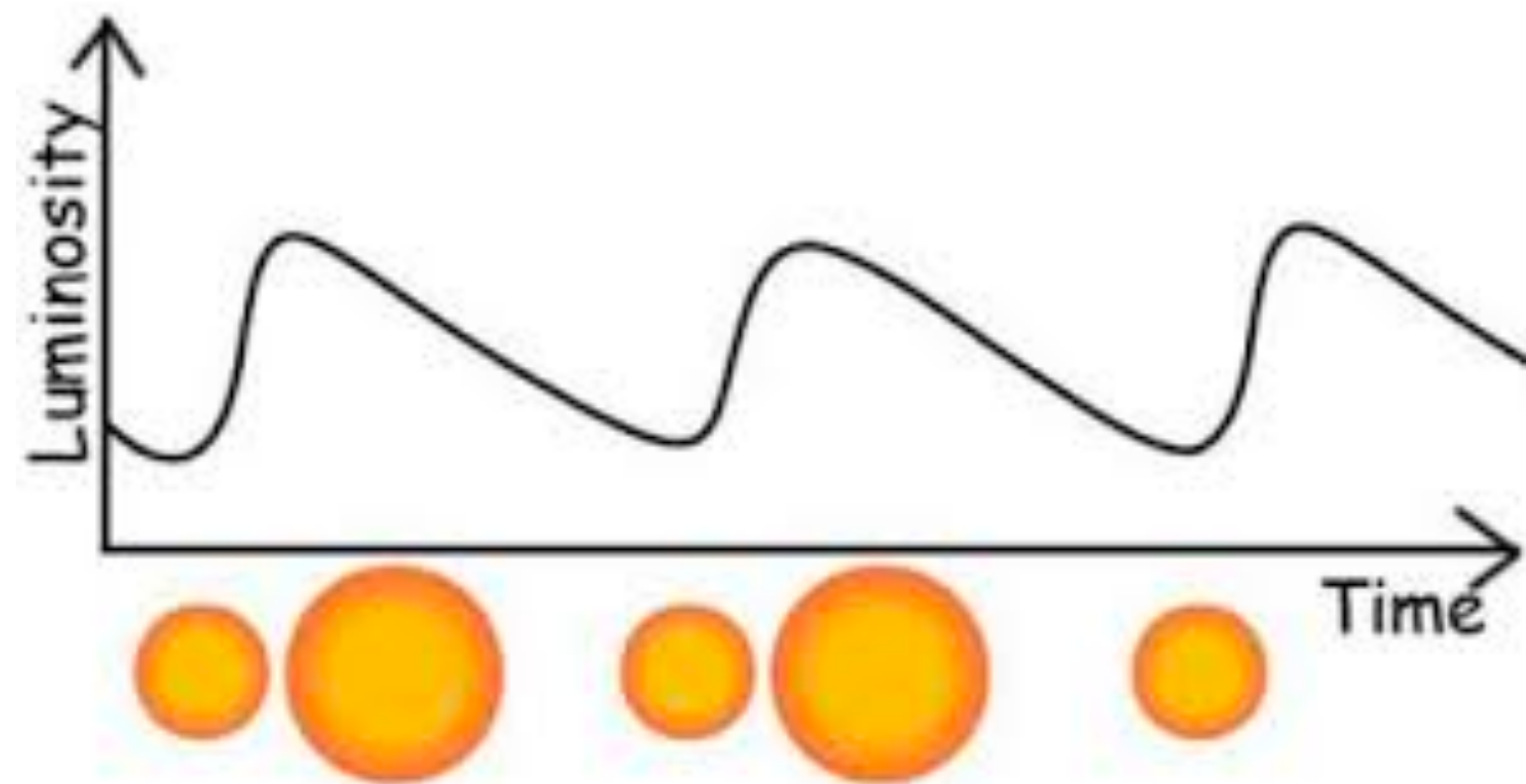
Parallax



Spectroscopic Parallax



Cepheid Variables



Type Ia SNe

