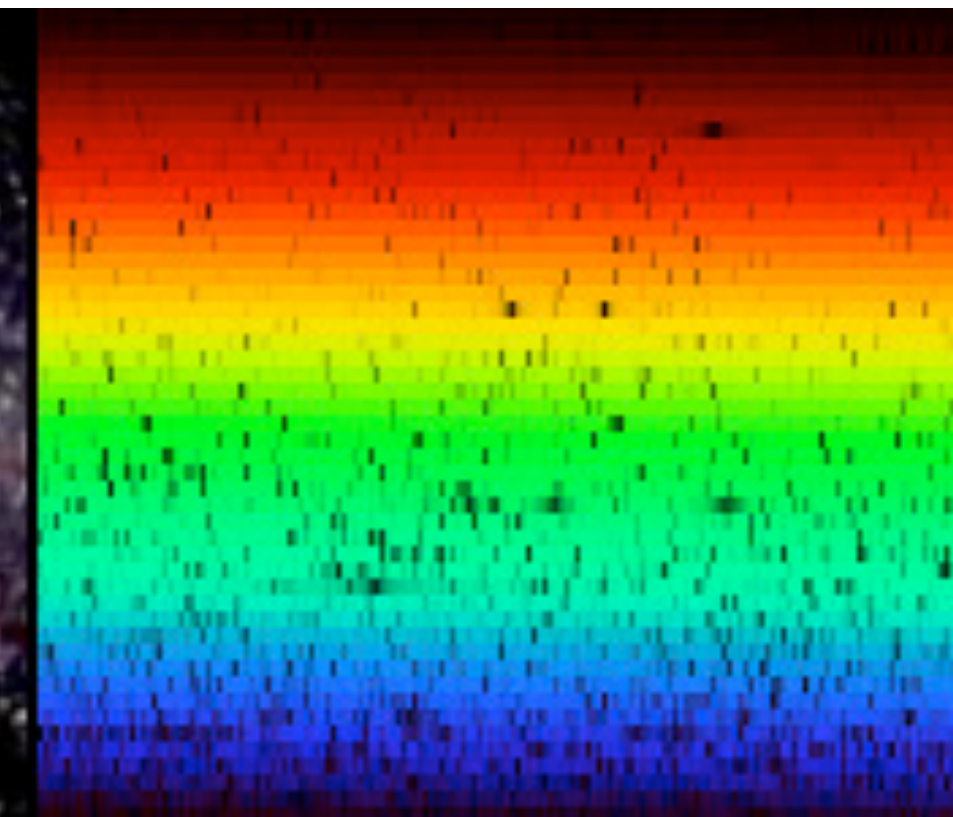




ASTR/PHYS 3070: Foundations Astronomy



Week 5 Tuesday

Today's Agenda

- Equilibrium / blackbody spectrum
- Telescopes
- Making measurements
- Observing “invisible” light

Announcements / Reminders

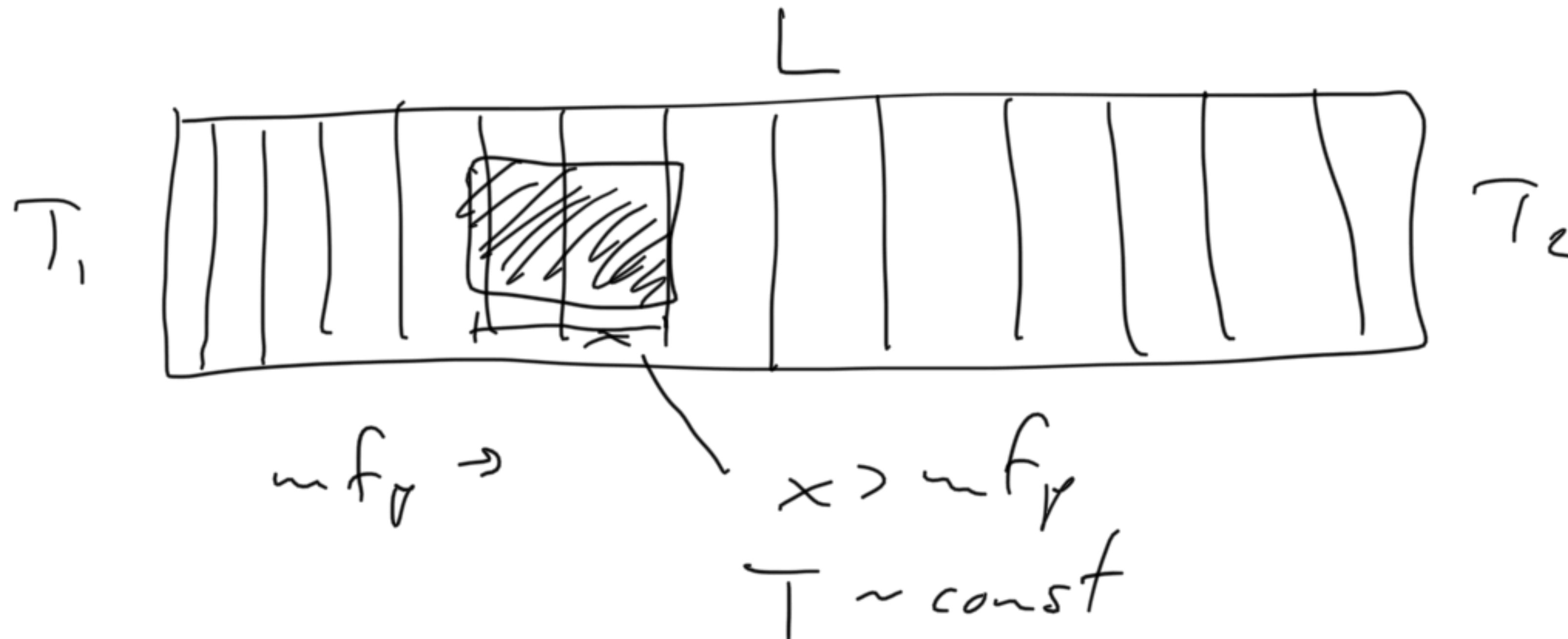
- Read Chapter 6.1, 6.4-7, 7.1, 8.1-2, 11.1-2
- HW 4 due September 24th at 11:59pm via Canvas upload
- HEAP talk at 4pm over Zoom (only)
 - Gravitational Wave detection with asteroids
- Colloquium at 2pm in JFB auditorium & Zoom
 - Deep Underground Neutrino Experiment (DUNE)

Local Thermodynamic Equilibrium (LTE)

$x \gg \lambda_{\text{mfp}}$
 $\Delta T \ll T$

Follows avg. statistics
Max.-Bolt. dist.

No time
dependence



LTE \rightarrow Blackbody/Planck function

1. Photons & massive particles have a high number density
2. System is optically thick

$$I_\nu(T)d\nu = \frac{2h\nu^3}{c^2} \frac{d\nu}{e^{h\nu/kT} - 1}$$

$$I_\nu d\nu(\nu \rightarrow \nu + d\nu) =$$

$$I_\lambda d\lambda(\lambda \rightarrow \lambda + d\lambda)$$

$$\nu = \frac{c}{\lambda} \rightarrow d\nu = -\frac{c}{\lambda^2} d\lambda$$

$$I_\lambda(T)d\lambda = \frac{2hc^2}{\lambda^5} \frac{d\lambda}{e^{hc/\lambda kT} - 1}$$

Integrate BB over all freq. & angles

Flux

(energy per area per time)

$$F = \frac{2\pi^5}{15} \frac{k^4}{c^2 h^3} T^4 = \sigma_{\text{SB}} T^4$$

↑
Stephan-Boltzmann
constant

$$\sigma_{\text{SB}} = 5.67 \times 10^{-8} \text{ J s}^{-1} \text{ m}^{-2} \text{ K}^{-4}$$

What is the total energy emitted?

Assume star is spherical

$$L = F \cdot A_* = F \cdot 4\pi R_*^2$$

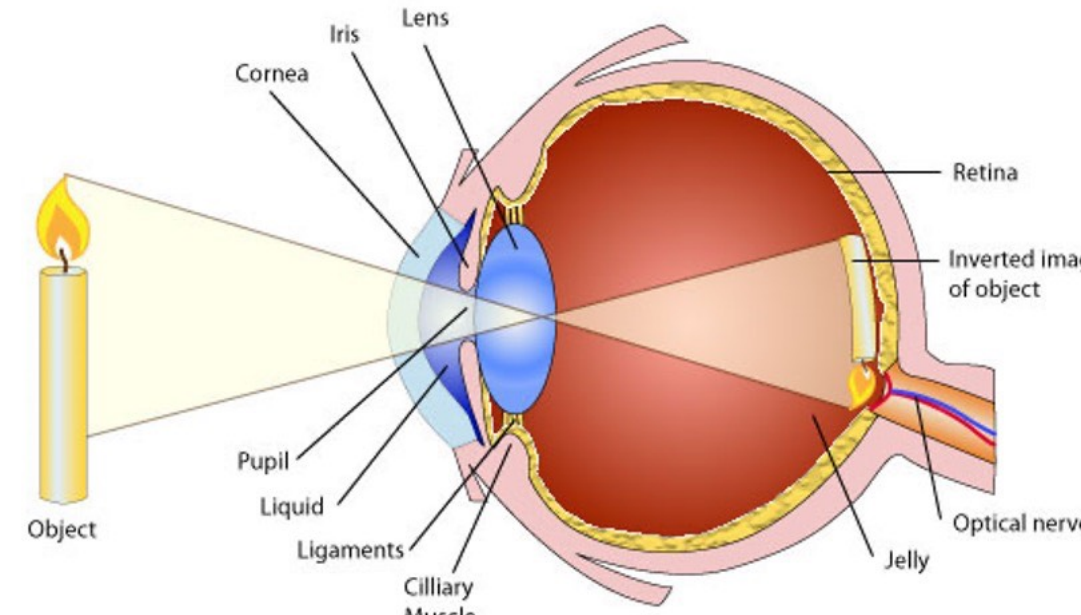
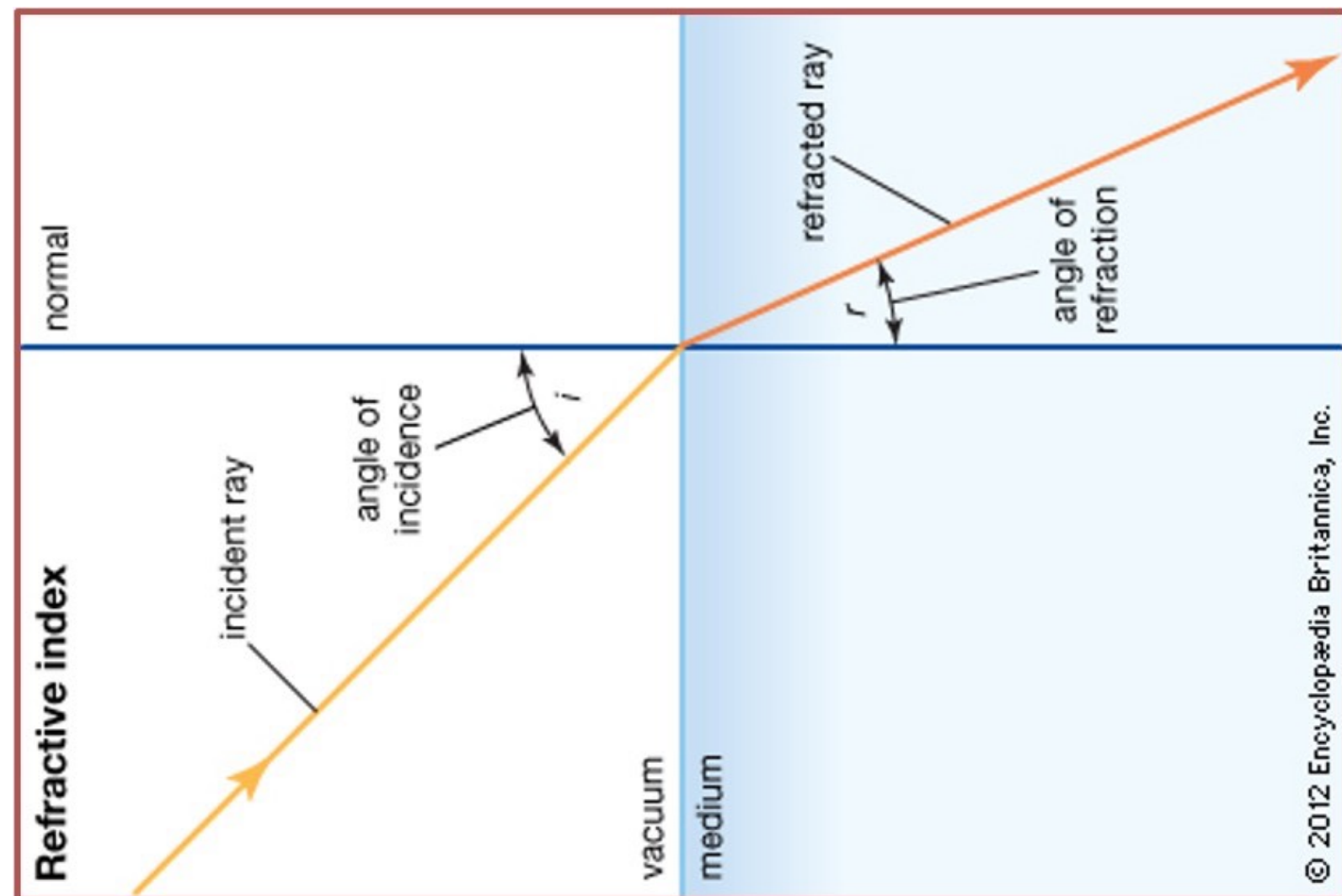
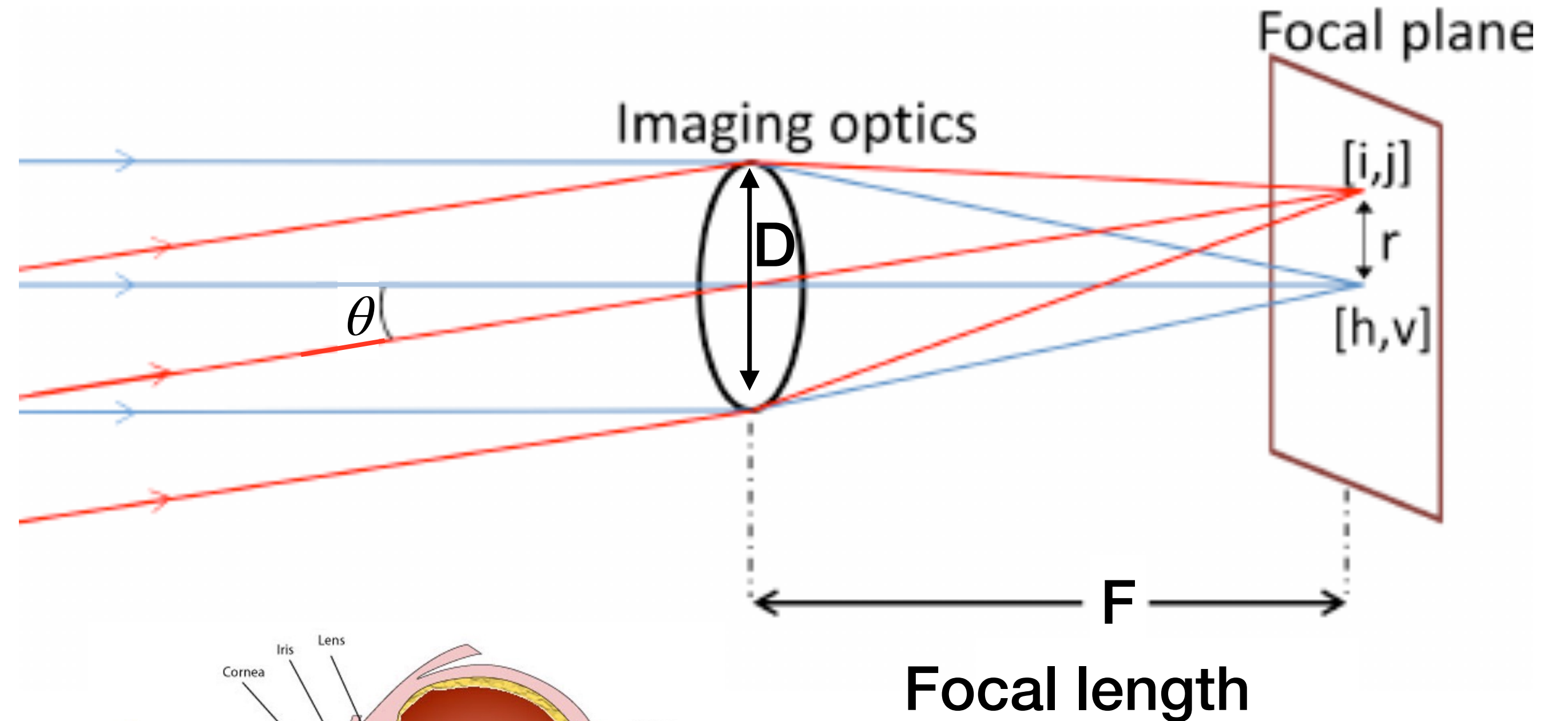
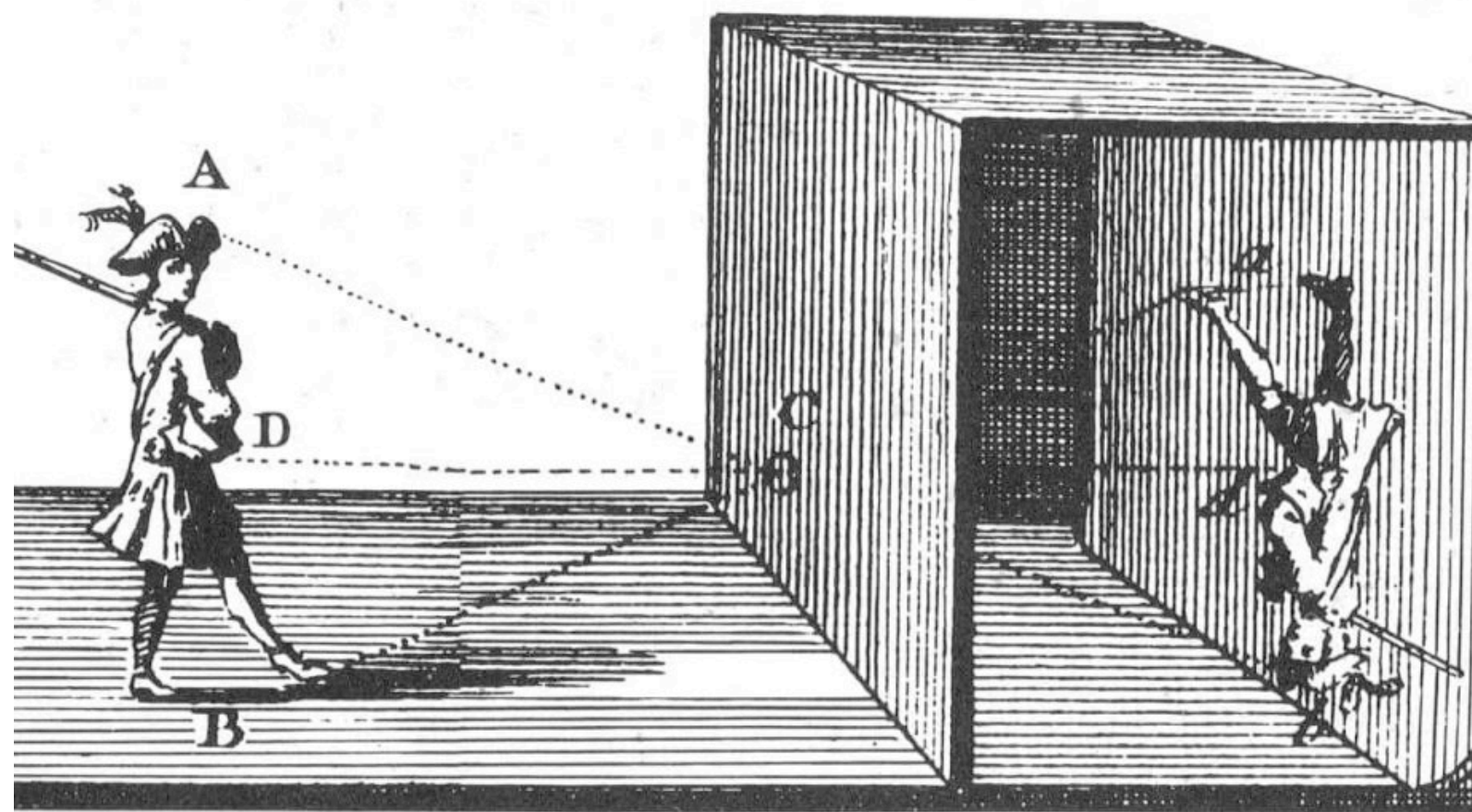
$$L = 4\pi R_*^2 \sigma_{\text{SB}} T^4$$

Compare to the Sun:

$$\left. \begin{array}{l} R_{\odot} = 6.96 \times 10^8 \text{ m} \\ T_{\odot} = 5780 \text{ K} \\ L_{\odot} = 3.8 \times 10^{26} \text{ W} \end{array} \right\} L = 1 L_{\odot} \left(\frac{R}{R_{\odot}} \right)^2 \left(\frac{T}{T_{\odot}} \right)^4$$

Collecting Light

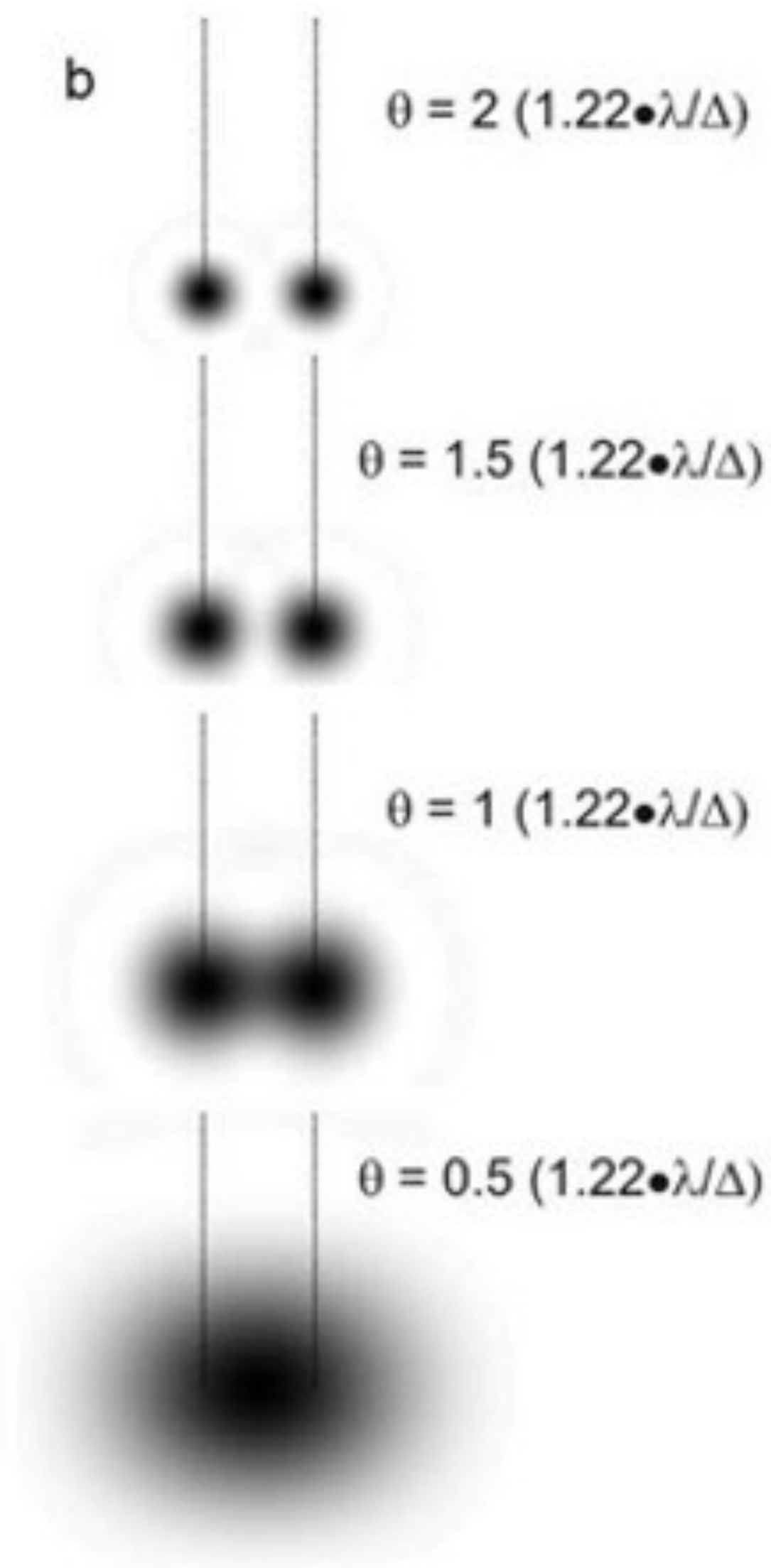
Telescopes collect (often by focusing) light



Our eyes are telescopes!

$$\text{Plate scale} = \frac{\theta}{r} \text{ (arcsec/mm)} \quad \theta_{\min} = 1.22 \frac{\lambda}{D}$$

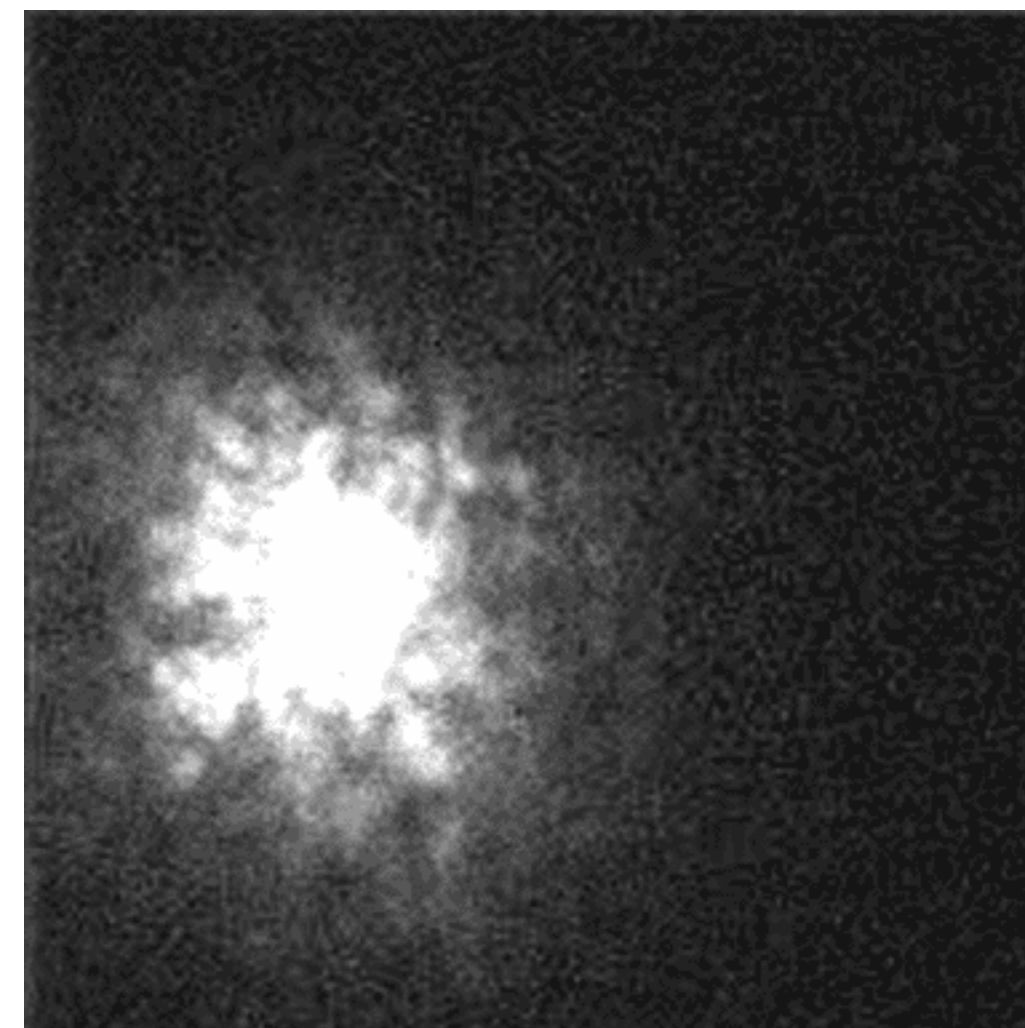
Image Resolution



$$\theta_{\min} = 1.22 \frac{\lambda}{D}$$

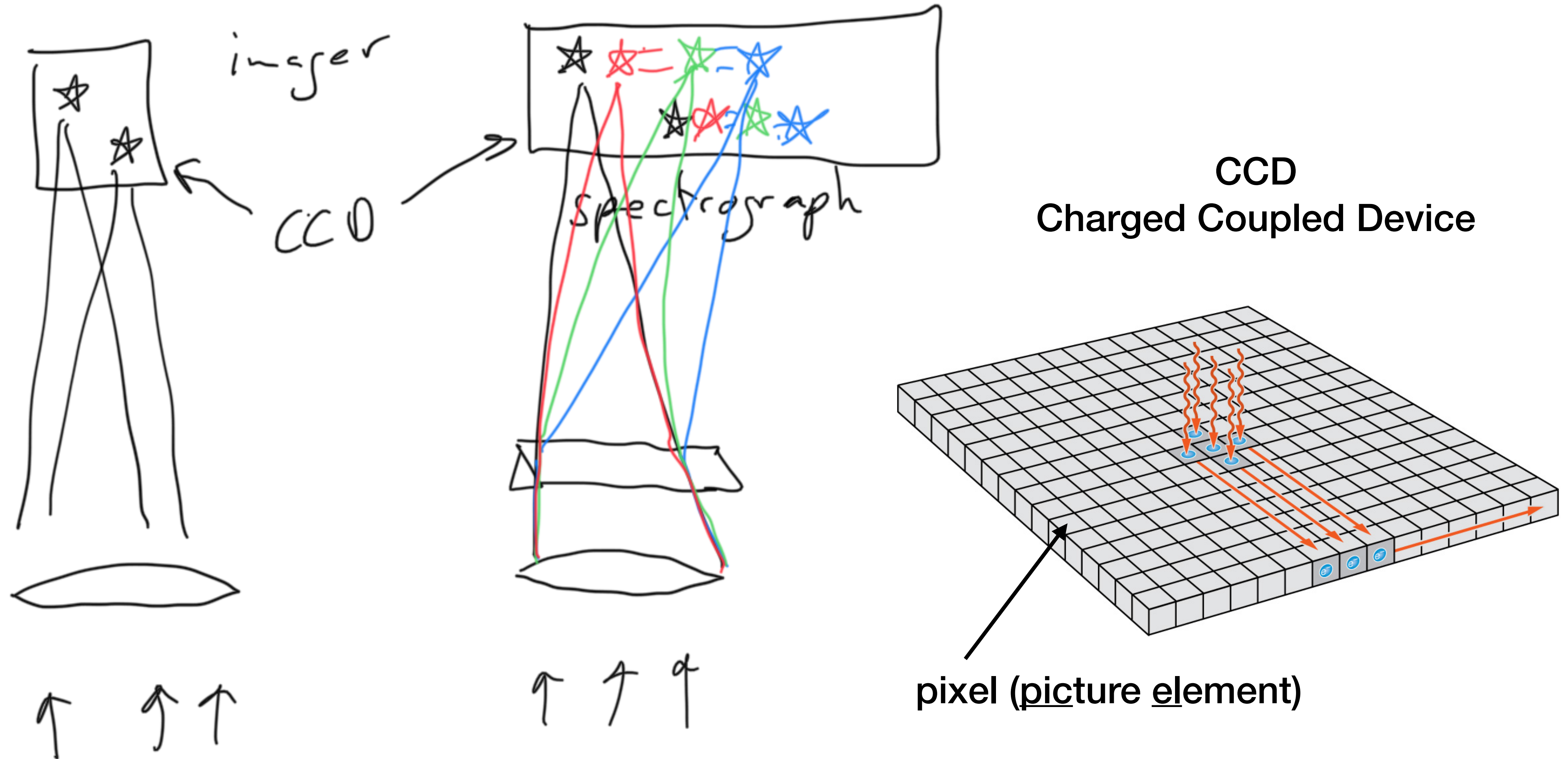
In ideal case, resolution determined by size of mirror

Often, mirror imperfections (misalignments, roughness) or atmospheric effects make the actual resolution worse



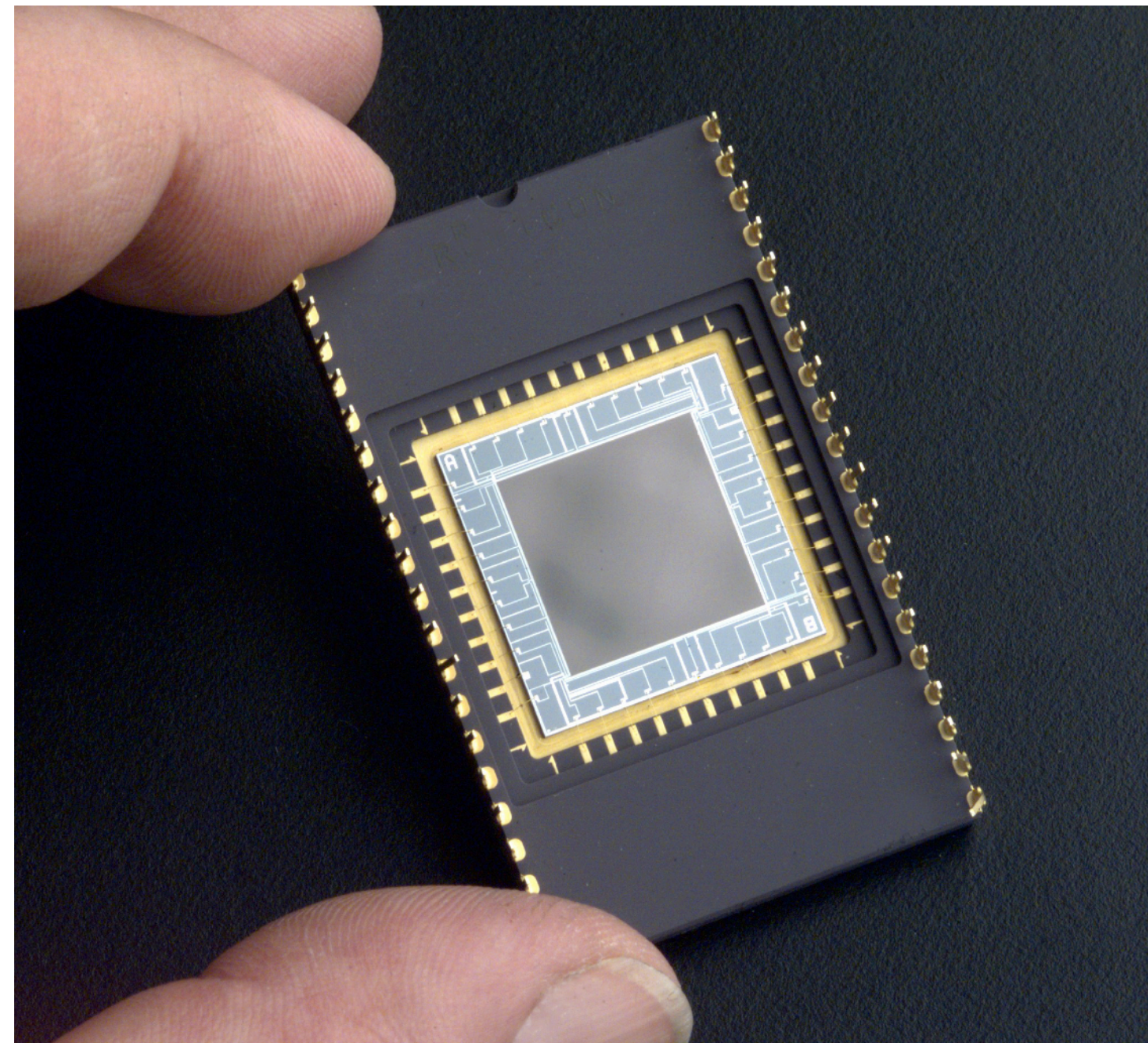
Why stars twinkle

Imaging versus Spectroscopy

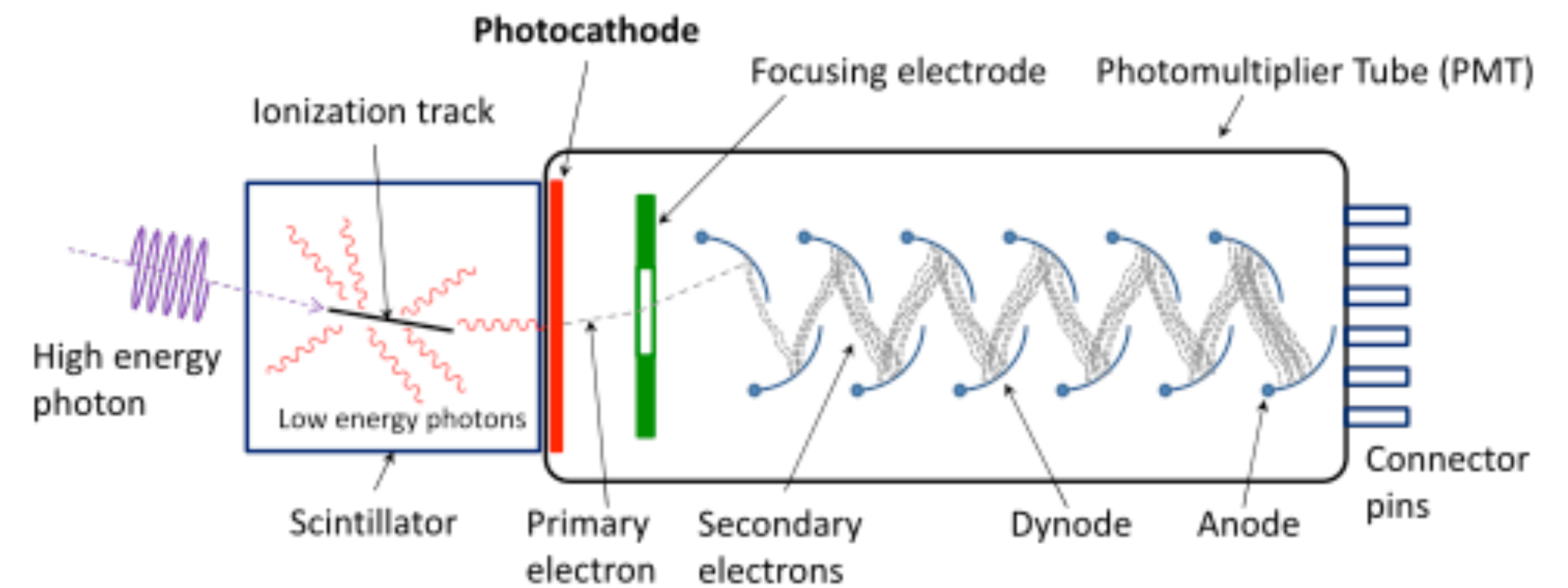


Detectors

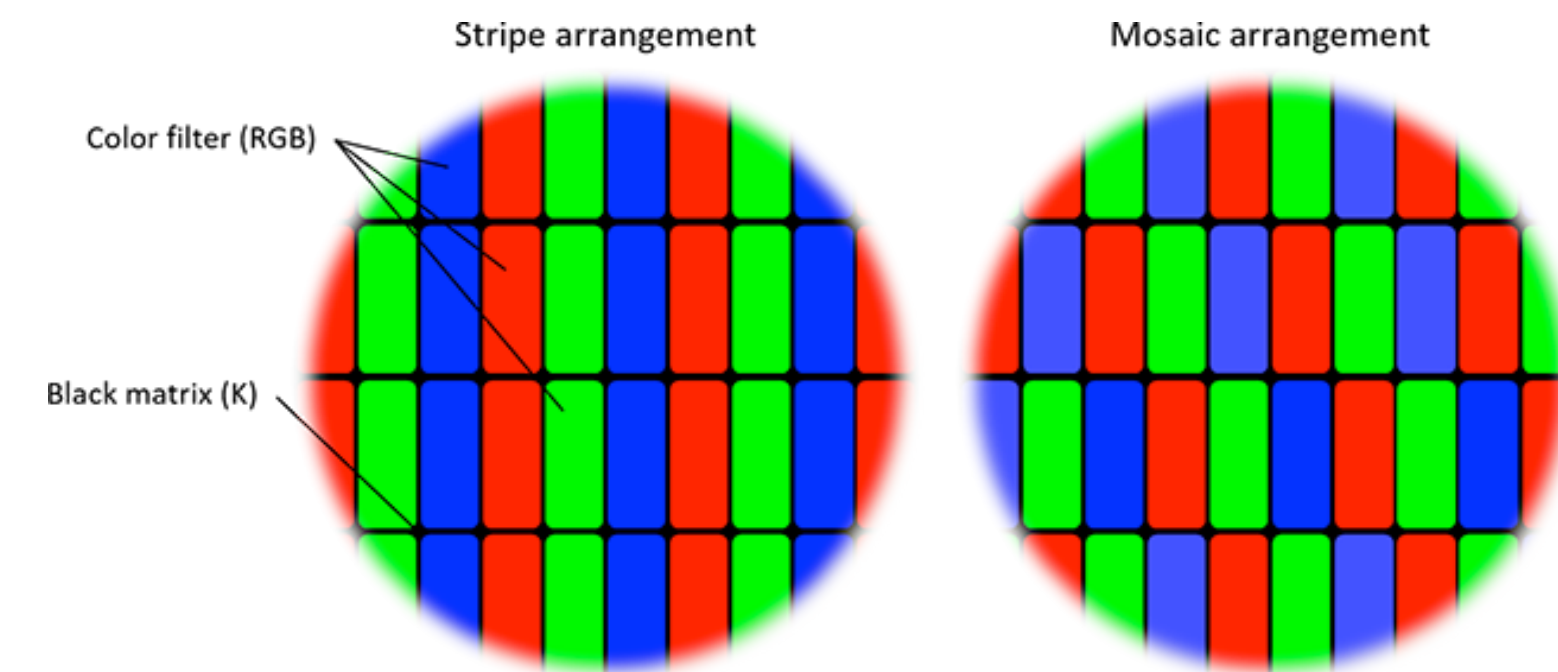
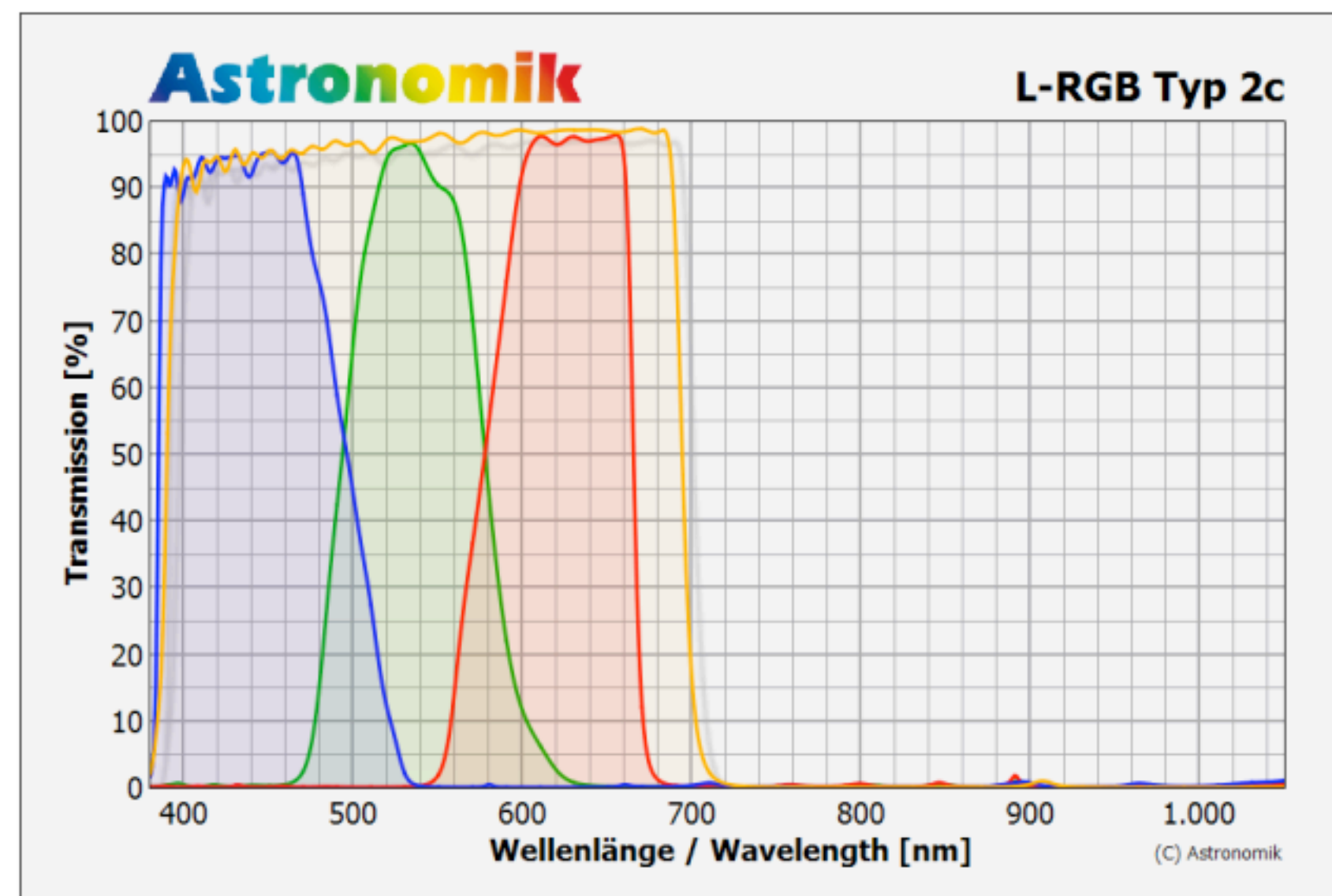
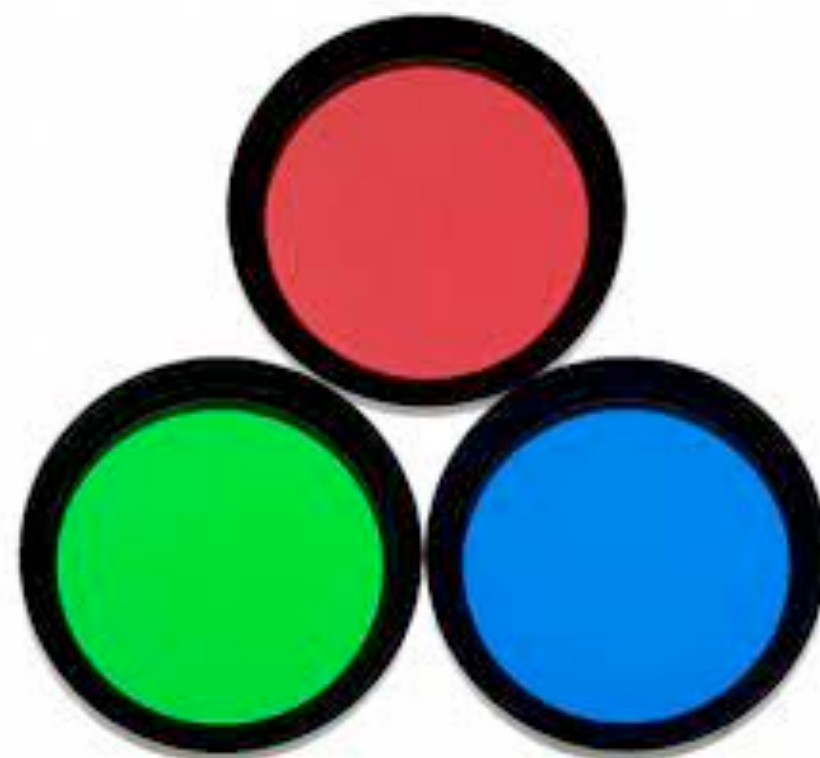
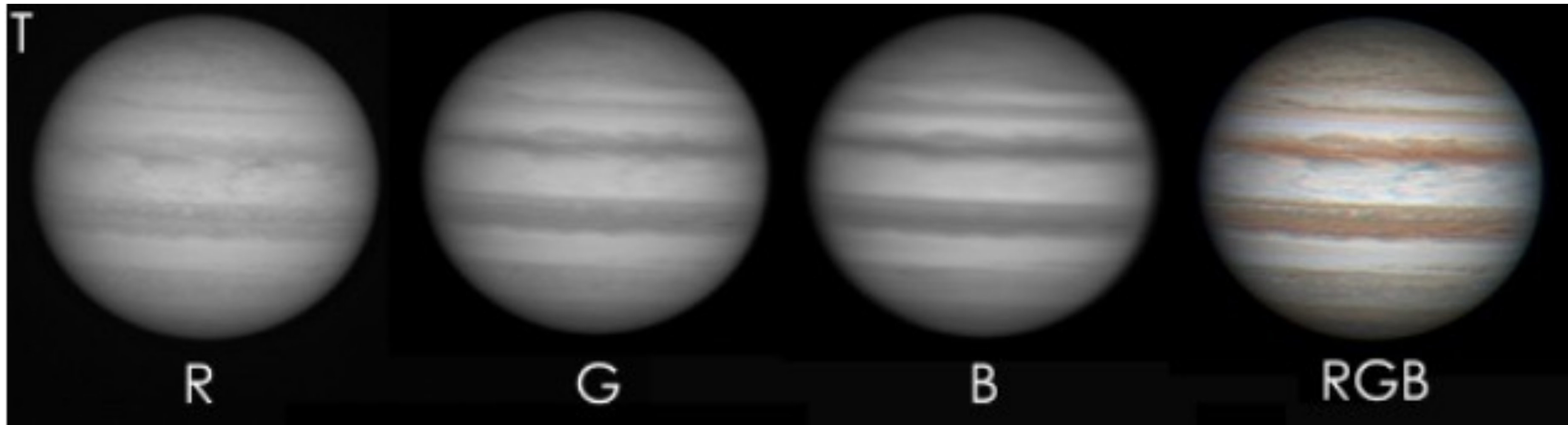
CCD



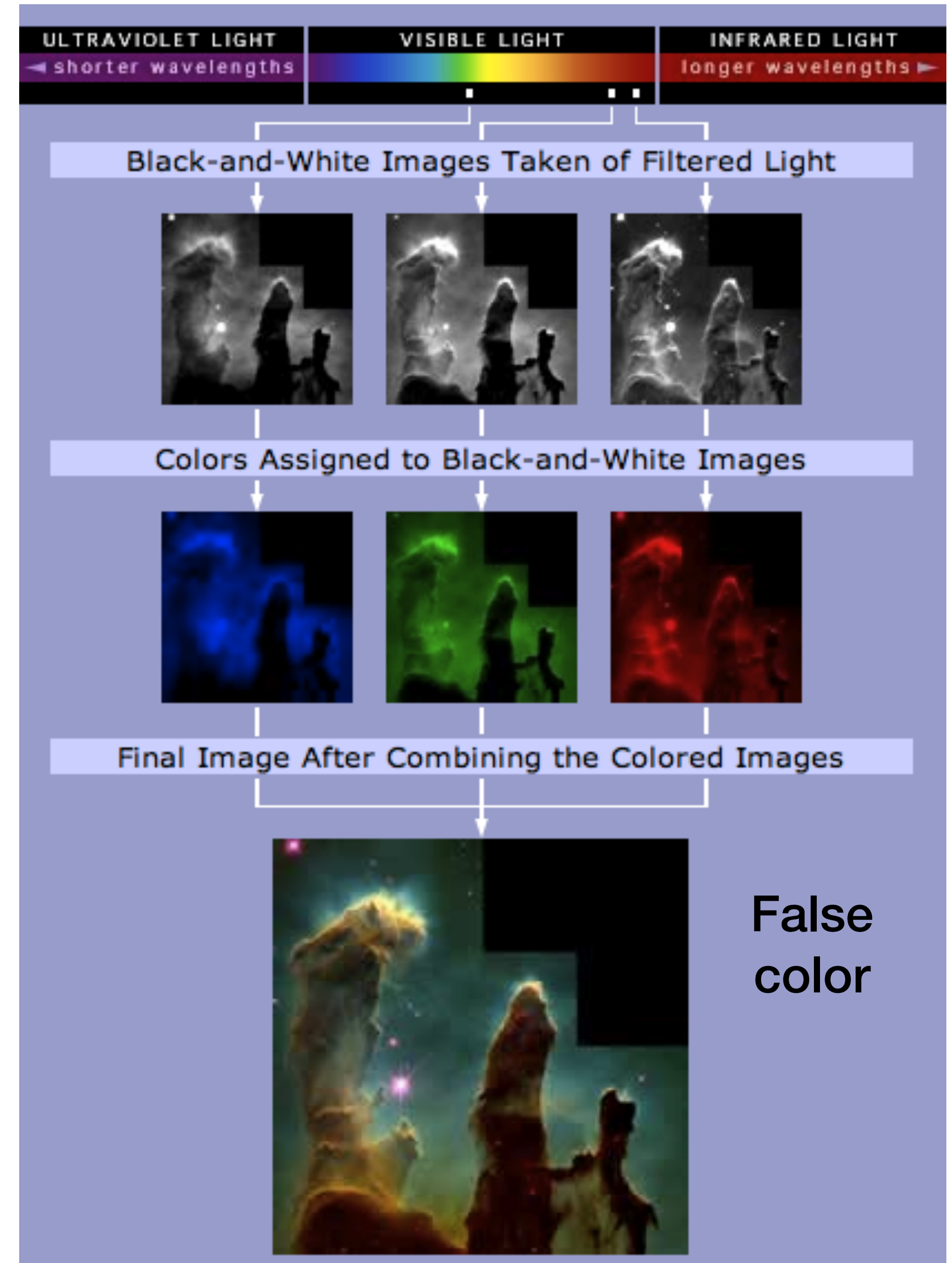
Photomultiplier tube



“Color” Imaging

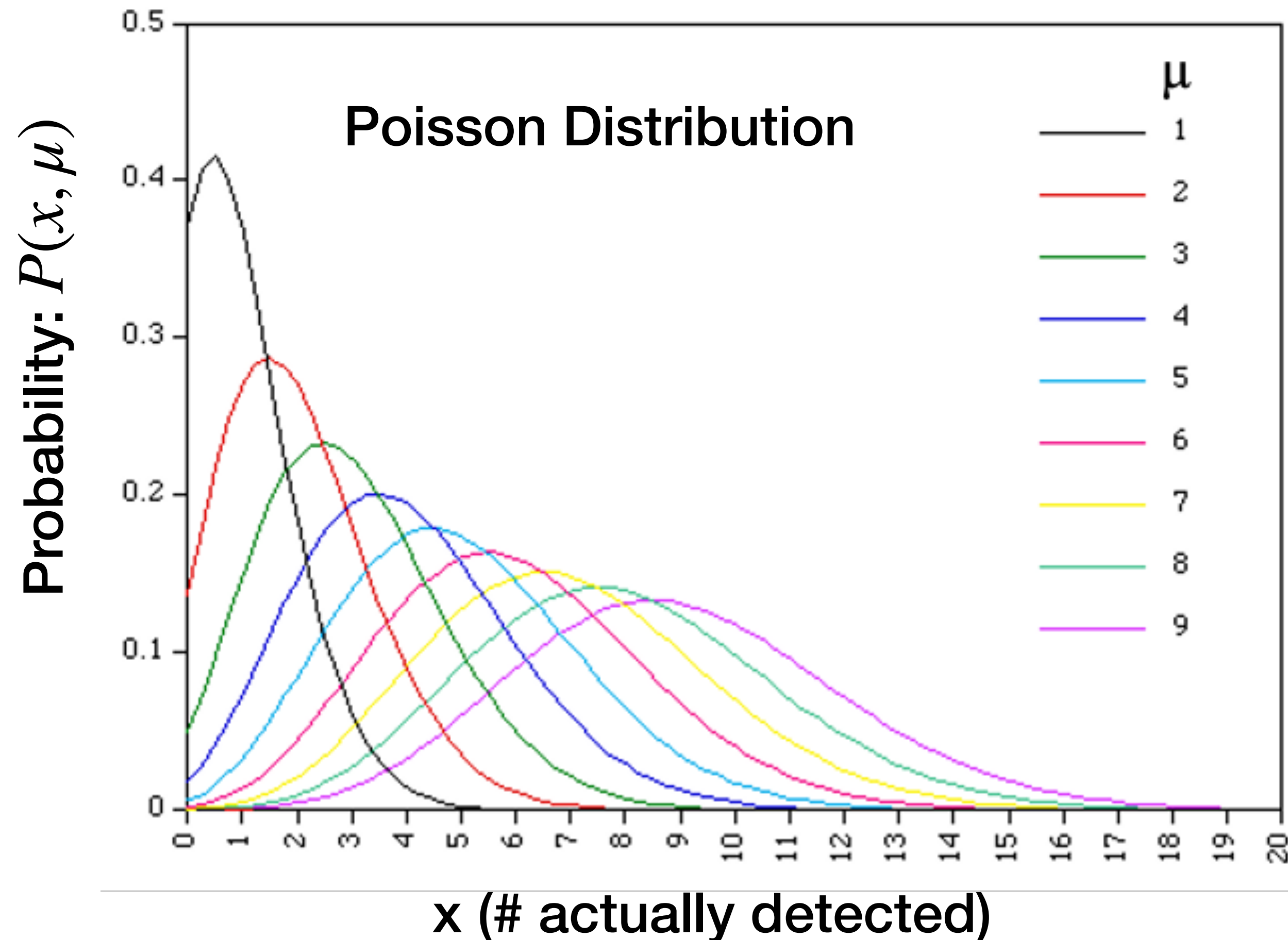


Phone Camera



Making Measurements

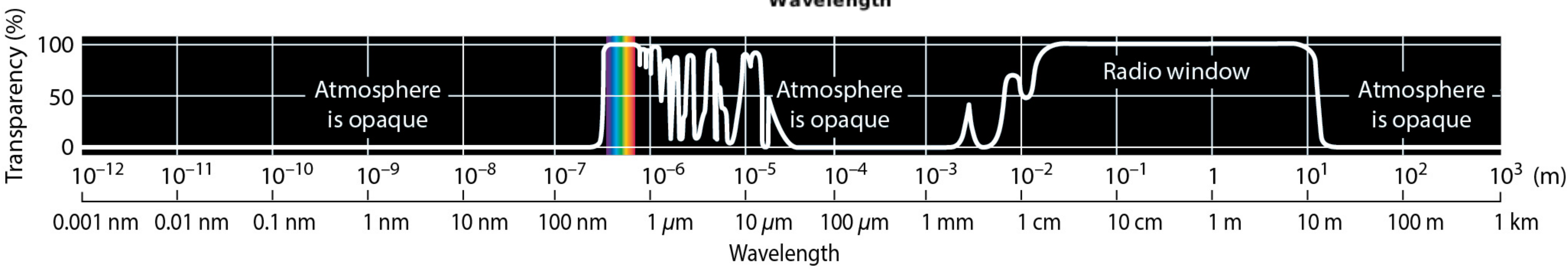
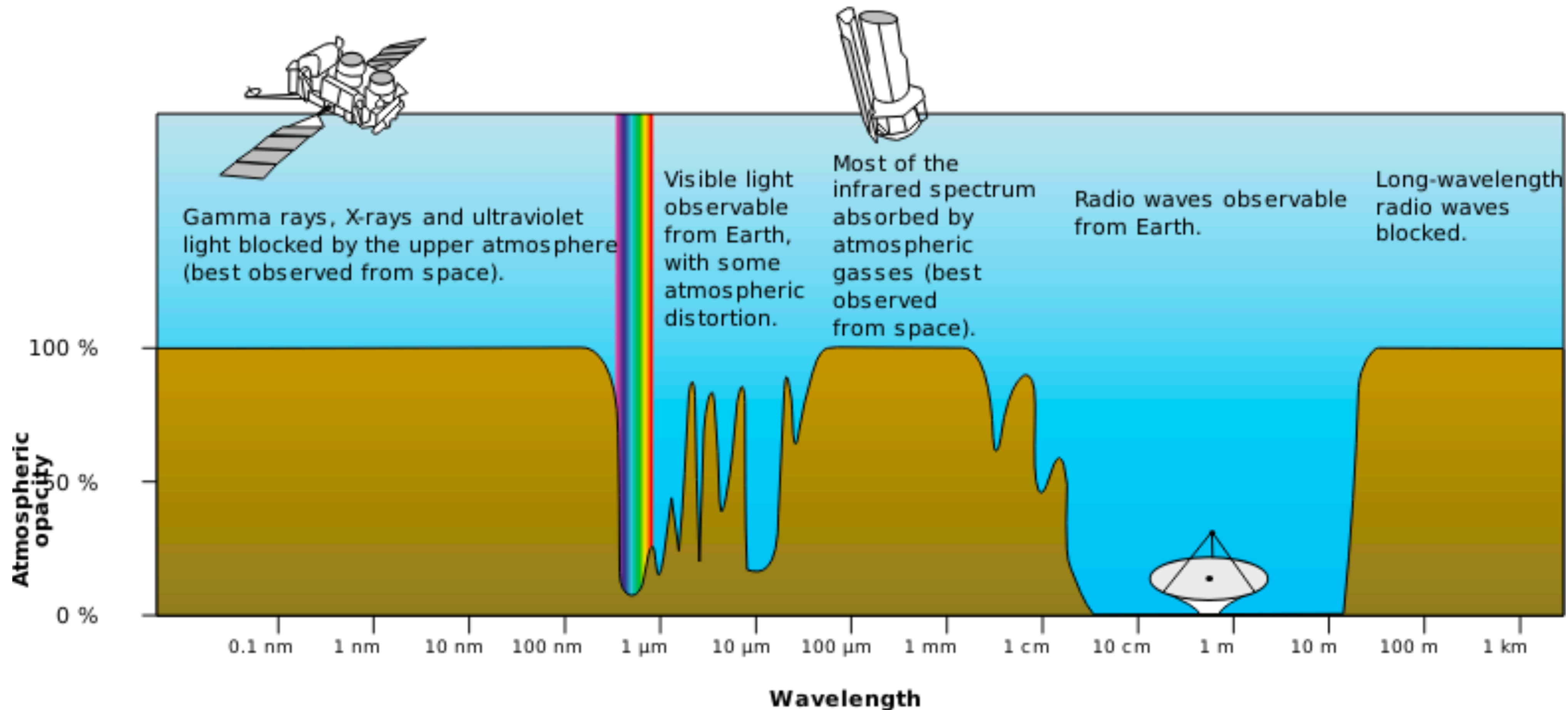
Photons arrive randomly – # detected not necessarily # “should” detect

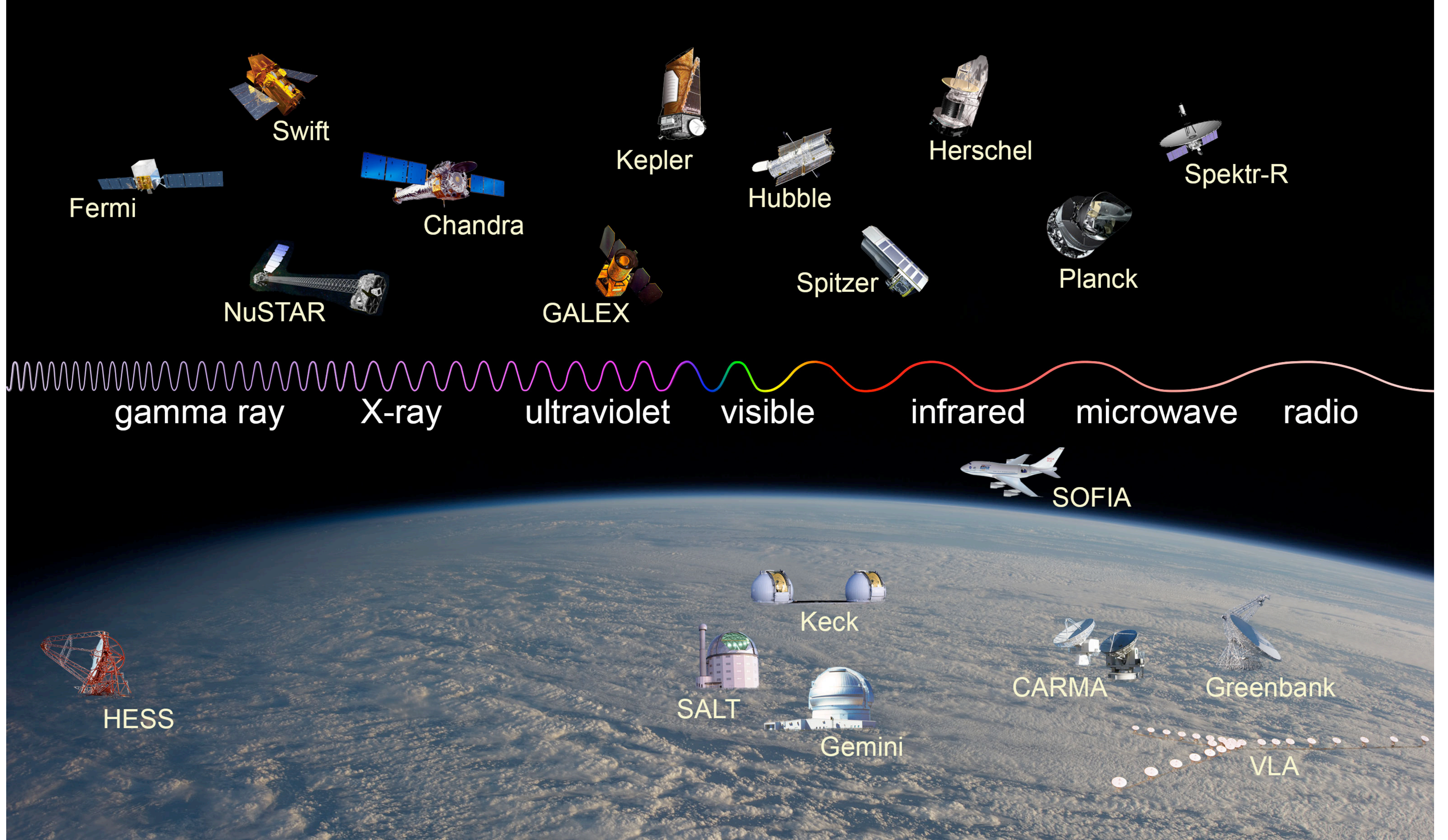


$\mu \rightarrow$ # “should” detect

$$P(x, \mu) = \frac{\mu^x}{x!} e^{-\mu}$$

Width of the distribution, which gives the uncertainty (or error) of the measurement, is $\sigma = \sqrt{\mu}$

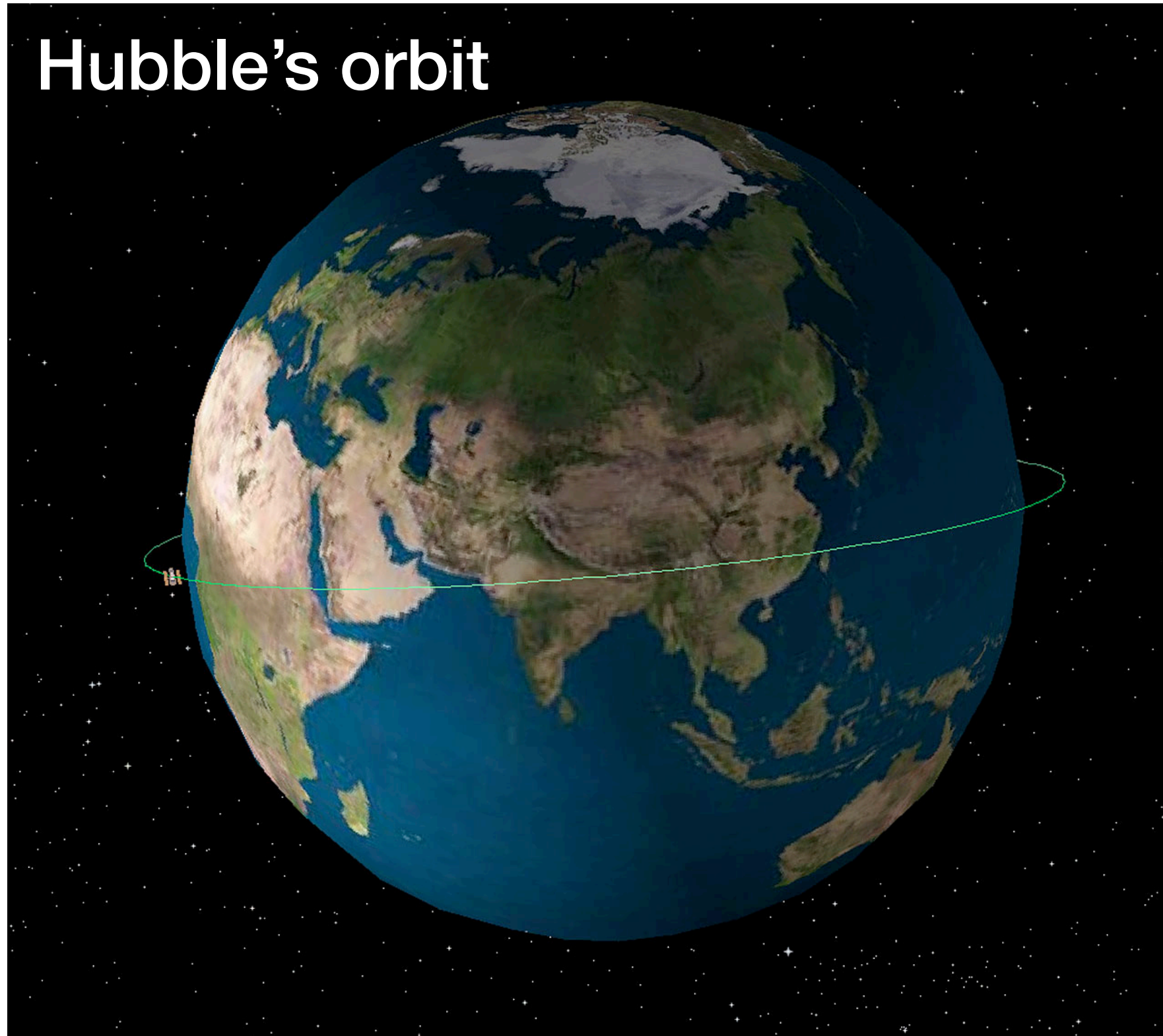




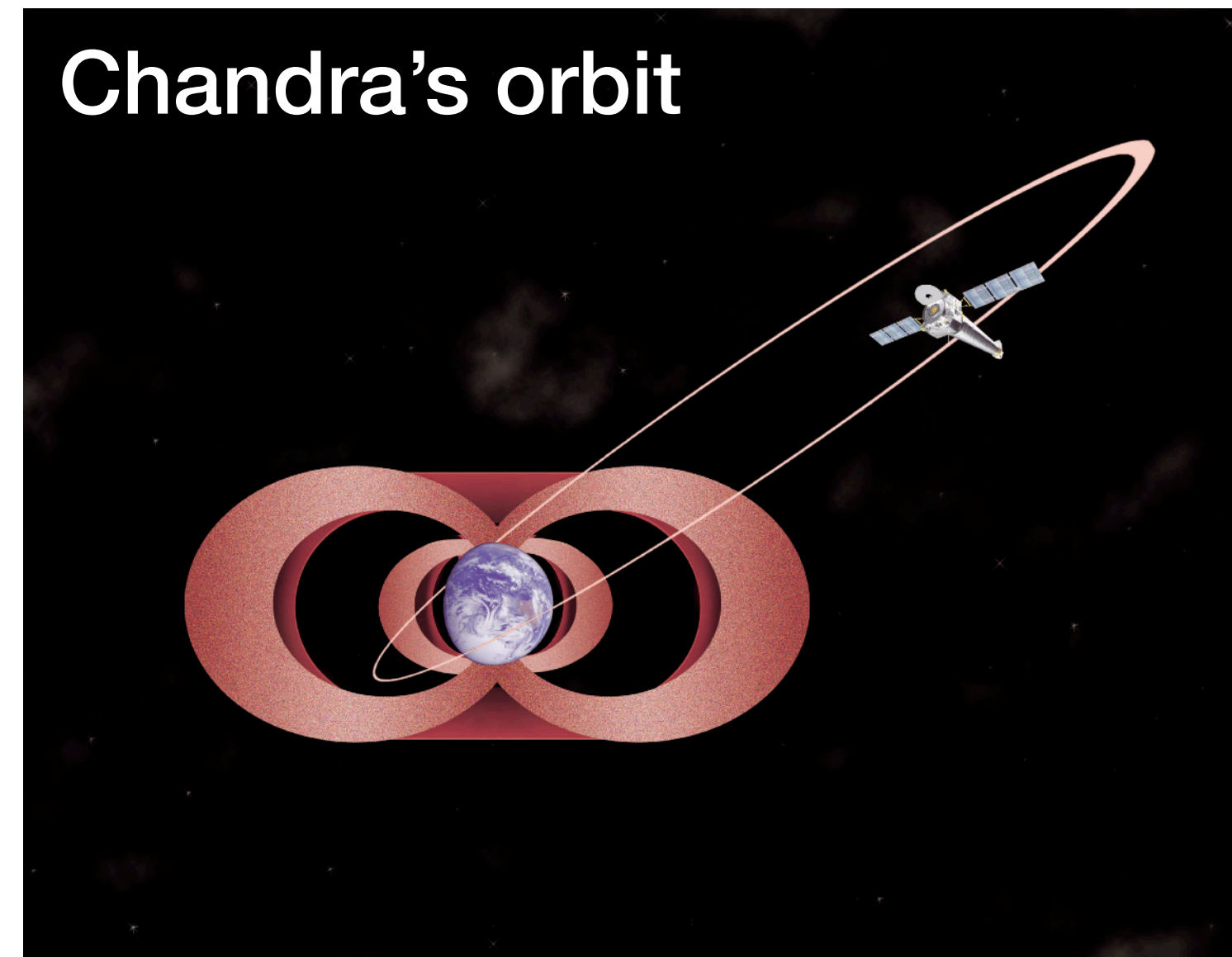
3 Misconceptions about Telescopes in Space

- From space, objects can be observed continuously, even during the day
- The sky is much darker in space than on the Earth
- Observations from space are not affected by weather

Hubble's orbit



Chandra's orbit



JWST's orbit

