

ASTR 5590 - X-ray Binaries w/Neutron Stars

First discovered in '71 by the UHURV satellite (peace in Swahili: ?)

Cen X-3

- 5s pulse period
- 2.1d sinusoidal variation
- massive blue star found to be coincident, w/same 2.1d period
- source disappeared regularly for $\approx \frac{1}{2}$ day: occulted
- Her X-1 similar

Emission much different than radio pulsars \rightarrow powered not by high rotation & strong B field, but accretion

Pulsations suggest NS, but other evidence?

$$L = 4\pi R^2 \sigma T^4 \sim 10^{30} \text{ W}$$

$$\sigma = 5.67 \times 10^{-8} \text{ W m}^{-2} \text{ K}^{-4}$$

$$R \sim 10 \text{ km} \sim 10^4 \text{ m}$$

$$T \sim \left(\frac{10^{30} \text{ W}}{4\pi (10^4 \text{ m})^2 \cdot 5.67 \times 10^{-8} \text{ W m}^{-2} \text{ K}^{-4}} \right)^{\frac{1}{4}} \text{ K}$$

$$\sim 10^7 \text{ K}$$

X-ray: assume ISD

$$\text{Wien's law: } \lambda_{\text{max}} = \frac{0.29 \text{ cm} \cdot \text{K}}{T}$$

$$E = h\nu_{\text{max}} = hc/\lambda_{\text{max}}$$

$$= \frac{6.626 \times 10^{-27} \text{ erg} \cdot \text{s} \cdot 3 \times 10^{10} \text{ cm/s}}{1.602 \times 10^{-9} \text{ erg/keV} \cdot 0.29 \text{ cm} \cdot \text{K}} 10^7 \text{ K}$$

$$\approx 4 \text{ keV} \quad \checkmark \text{ consistent w/ obs. emission}$$

Other arguments suggest accretion
is the source of power: will discuss
this in more detail later

Two types of X-ray binaries

- HMXBs } high or low mass
- LMXBs } donor stars

H: O/B star companions (young)

L: MS stars of lower mass (~few M_{\odot}
to M -star)

Binary Systems : A + B

$$\text{CoM given by } \frac{a_B}{a_A} = \frac{M_A}{M_B}$$



Doppler shifts: $\frac{\Delta \lambda}{\lambda} = \frac{v_r}{c}$
measured \nearrow , so can infer

$$\text{Orbit: } p = \frac{2\pi a_A}{v_A} = \frac{2\pi a_B}{v_B}$$

$$\text{So } \frac{v_A}{v_B} = \frac{a_A}{a_B} = \frac{M_B}{M_A}$$

But only measure $v_{r,A} = |v_A| \sin i$

As long as see both stars,

$$\text{have } \frac{v_A \sin i}{v_B \sin i} = \frac{v_A}{v_B} = \boxed{\frac{M_B}{M_A}}$$


From Kepler's 3rd law

$$M_A + M_B = \frac{4\pi^2}{G p^2} (a_A + a_B)^3$$

But, only know $a_A \sin i$ & $a_B \sin i$,

so only get $(M_A + M_B) \sin^3 i$

H: often possible to measure Doppler shifts from both members, which result in $\frac{M_1}{M_2}$ & $(M_1 + M_2) \sin^3 i$

being measured
 * How can actual masses be disentangled? 

L: often can't ID donor star, so stuck with "single-line spect. binary" case
 → get the mass function

$$\text{since } P = \frac{2\pi a_A}{v_A} = \frac{2\pi a_B}{v_B}$$

$$(M_A + M_B) \sin^3 i = \frac{P}{2\pi G} (v_A \sin i + v_B \sin i)^3$$

→ if only see A, the x-ray emitting component, can rewrite as

$$= \frac{P}{2\pi G} v_x^3 \sin^3 i \left(1 + \frac{v_o \sin i}{v_x \sin i}\right)^3$$

$$\frac{M_o \left(1 + \frac{M_x}{M_o}\right) \sin^3 i}{\left(1 + \frac{M_x}{M_o}\right)^{\frac{2}{3}}} = \frac{P}{2\pi G} \underbrace{(v_x \sin i)^3}_{\text{obs.} = f} \frac{M_o}{M_o}$$

$$\times \frac{M_o^2}{M_o^2} =$$

$$f(M_x, M_o, i) = \frac{M_o^3 \sin^3 i}{(M_x + M_o)^2}$$

with 1. . . 1.0 + 1.14 H₂

with binaries tend to be more inclined,
making it harder to estimate
their mass (requires more
assumptions)

Result (find more recent figure)

- Masses consistent w/ NS expectation,
then gap, then larger masses
for BH candidates ($\sim 10 M_{\odot}$)